



Politecnico
di Bari



DIPARTIMENTO DI MECCANICA
MATEMATICA E MANAGEMENT

Estimation challenges in planetary exploration rovers

Speaker: Giulio REINA



UNIVERSIDAD DE ALMERÍA

Universidad de Almería UAL – January 9, 2020



RML Robotic Mobility Lab



Giulio REINA, *Professor, – Mobile robotics, vehicle dynamics estimation*

Antonio Leanza, PhD student, Vertical dynamics

Fabio Vulpi, PhD student, Localization and mapping

Mauro Dimastrogiovanni, Post-graduate, Vehicle-environment interaction

Webpage: www.vagostudio.com/giulio/



RML Robotic Mobility Lab

Research Interests:

- **Mobile robotics** for
 - Planetary exploration
 - Agriculture
- Vehicle dynamic modelling and estimation
- Advanced driving assistance systems (ADAS) towards self-driving vehicles
- New: Biomedical devices



Advanced Mobile Robotics

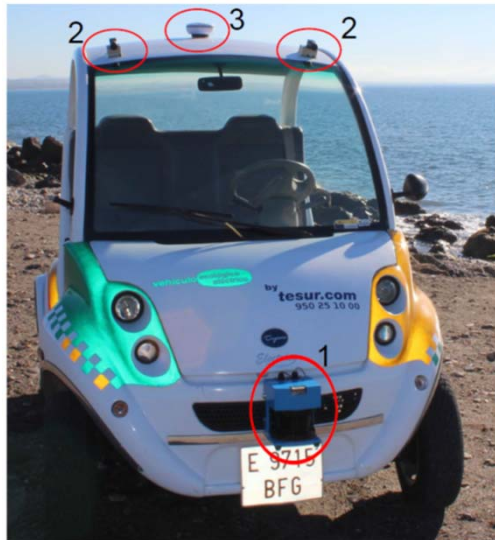
- Navigation in challenging environments, including planetary surfaces and agricultural settings
- Mechanics of wheel/terrain interaction drawing from **Terramechanics** theory
- **State and parameter estimation**
 - Automated online estimation of motion states and key parameters of vehicle/terrain (e.g., **terrain awareness**)
- Identification of terrain regions that can be safely traversed



In-road



Off-road

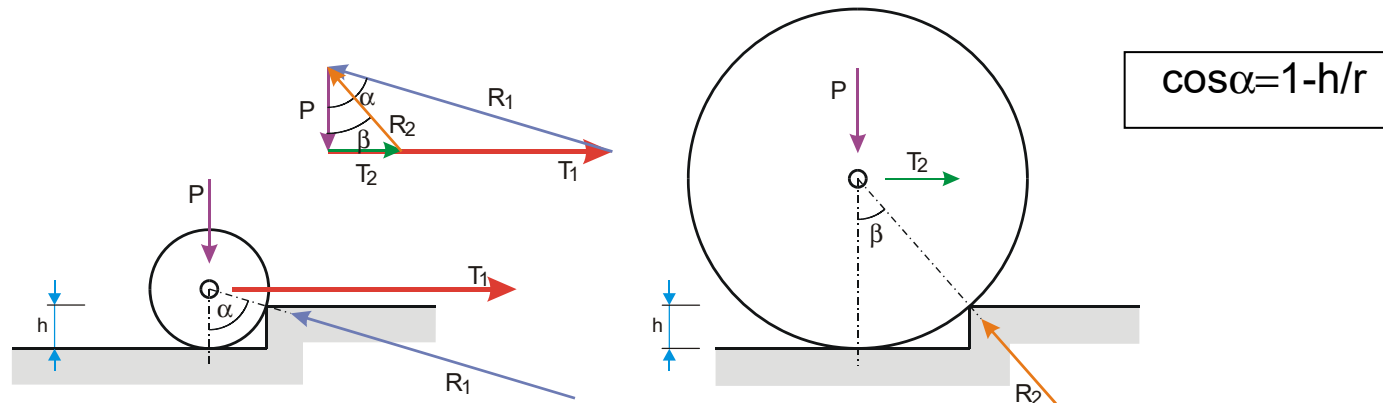


CLAAS AXION 840 4WD



Wheeled robots

- Limitations on irregular terrains



Rule of thumb: obstacles higher than wheel radius can not be climbed !!

Alternatives

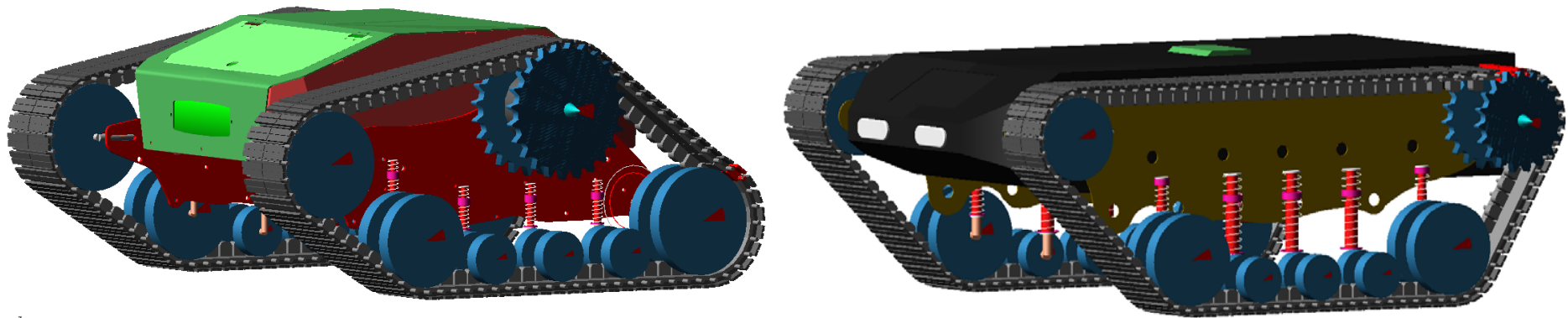
- Track-based locomotion

MAXX II – Fixed wheels

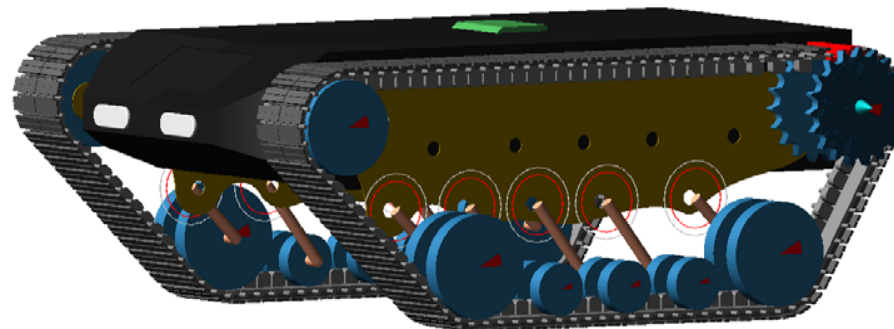


- Suspended wheels

a) Vertical spring and dampers



b) Torsion bars





MAXX 0

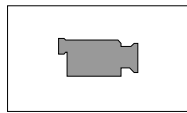
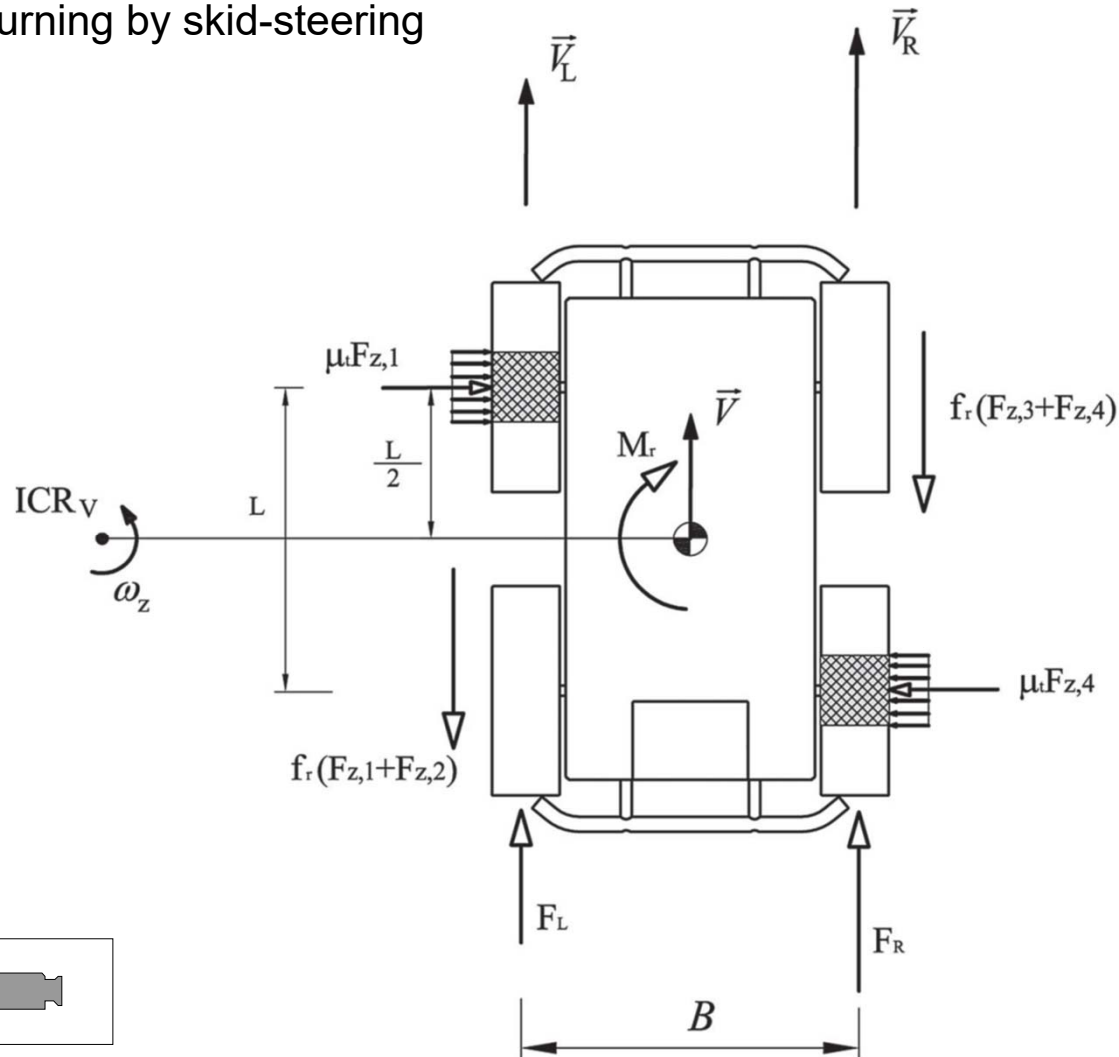
VS

MAXX 1

bump 5

<https://www.youtube.com/watch?v=JoJ-8MdYjyc>

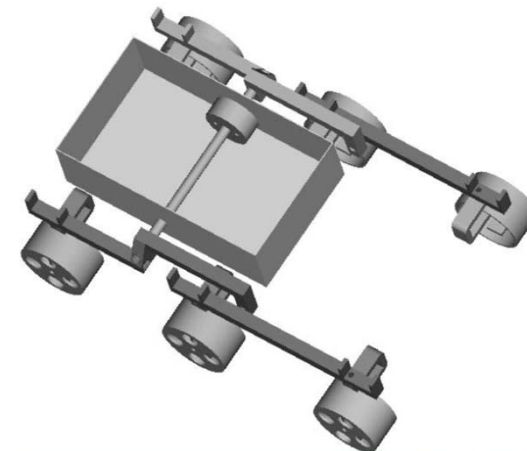
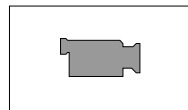
Issue: Turning by skid-steering



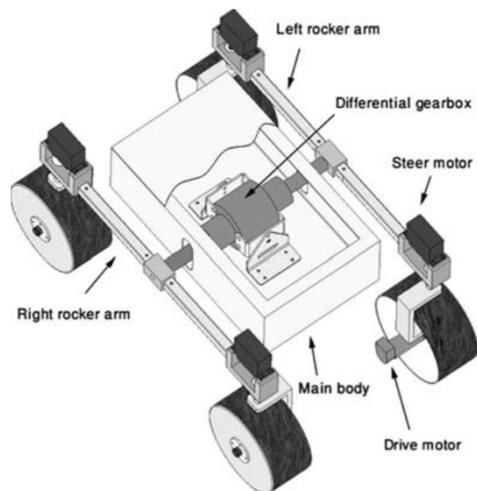
NASA/JPL's rovers

Rocky 8:

- 6 wheel/6-steer, rocker-bogie design
- Vehicle mass: 400 kg
- Manipulator: 1 m, Mini corer for 5 cm deep drilling
- Instrument deployment arm
- Communications: 40 Mbits/day = 20 Mbits/hr
- Energy availability: 2000-5000 W-hours
- Actual maximum speed envisaged: 6 cm/sec
- Dimensions: 2.9 m long, 3.6 m wide, Wheel: diameter=0.5 m, width=20-30 cm.
- Travel: 13 days dedicated to “*traverse days*,” 3 km/13 sols = 230 m/sol on average (rover will move only for about 4 hours/sol). Note: Sol = Mars day, about 23.5 hours.

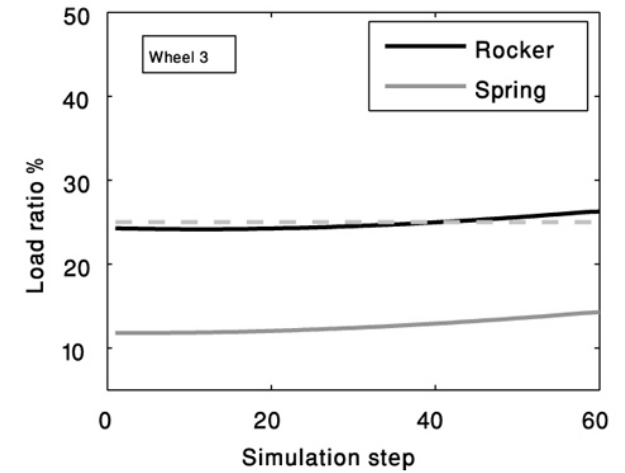
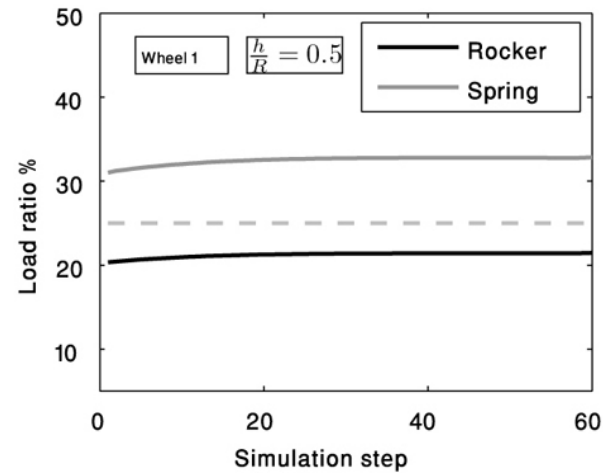
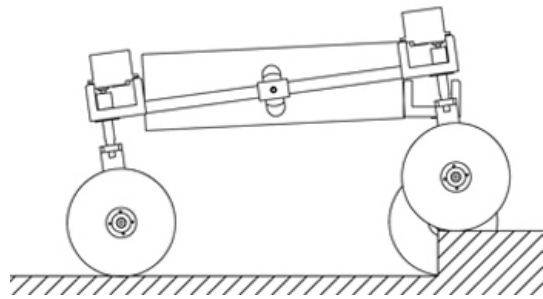


DUNE: 4-wheel drive 4-wheel steer rover employing a rocker-type suspension

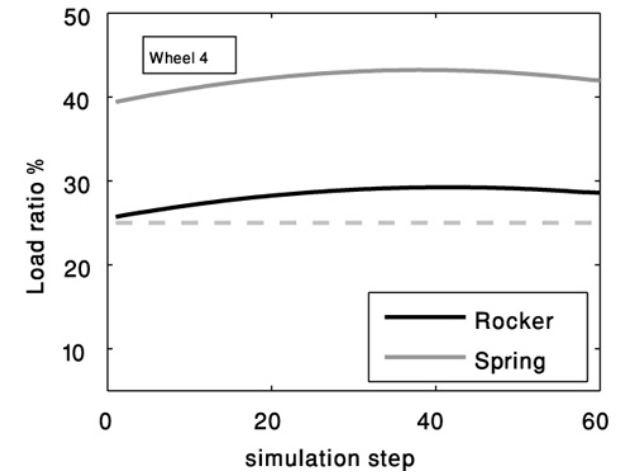
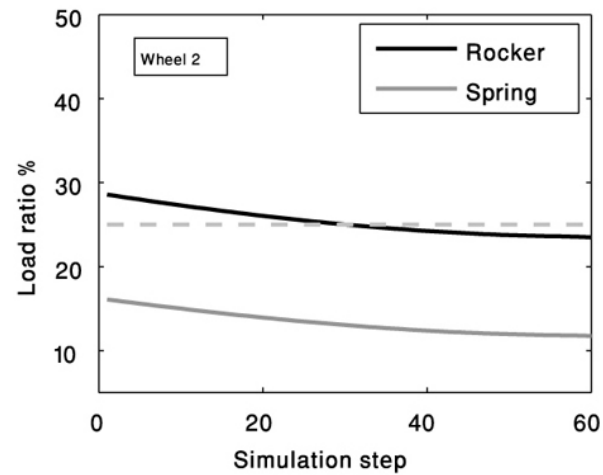
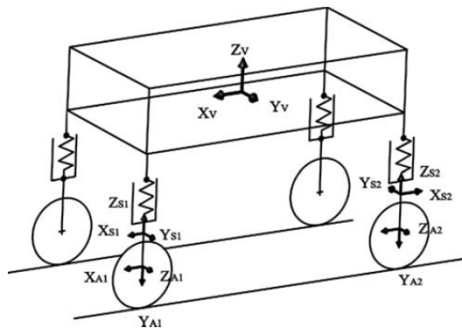


Rocker vs elastic suspension system

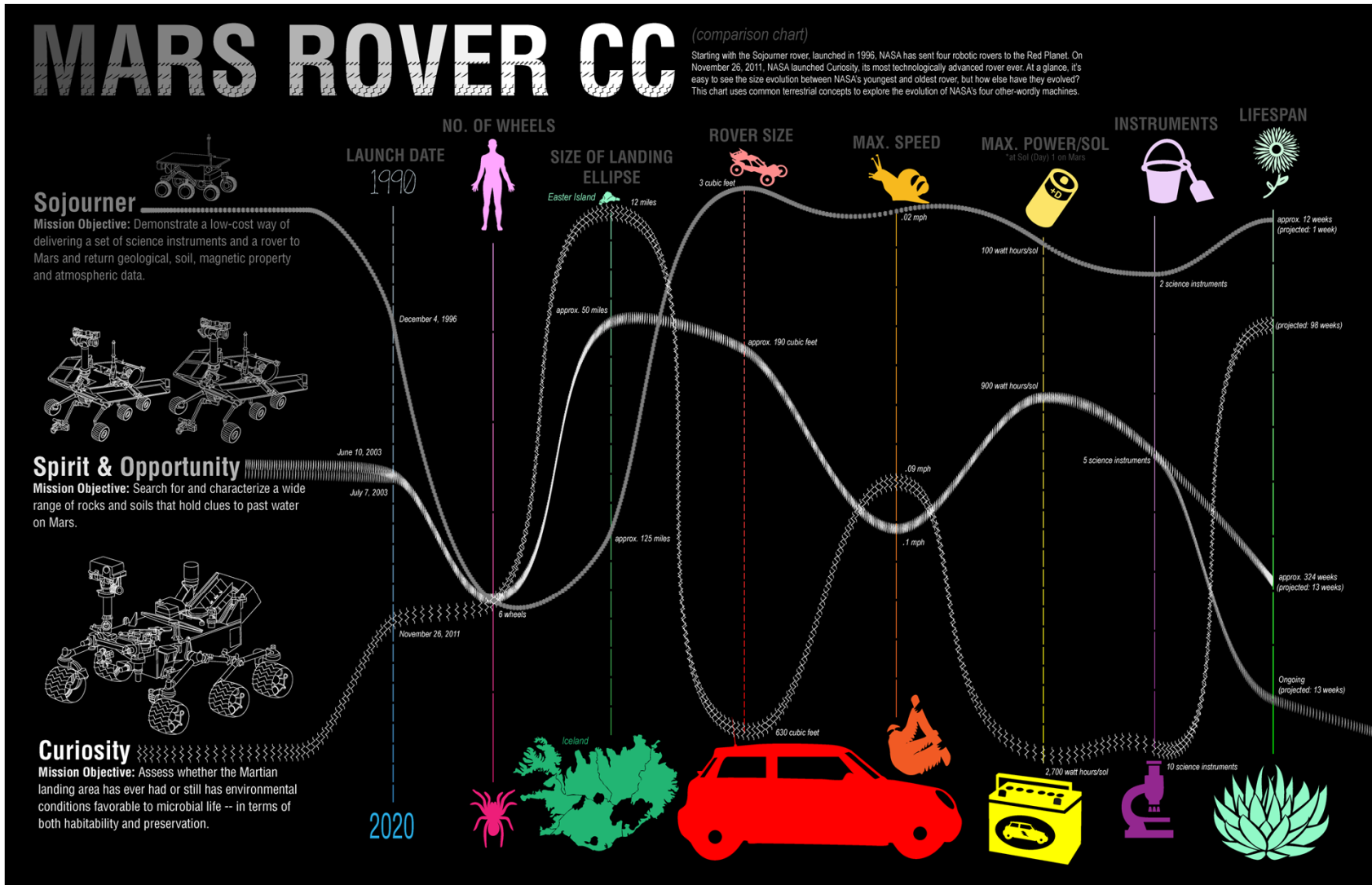
Rocker



Elastic



Comparison chart





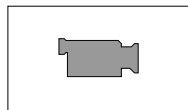
Sherpa rover



AUTONOMOUS DECISION MAKING IN VERY LONG TRAVERSES
*An H2020 project funded within Strategic Research Cluster on
Space Robotics Technologies*



German
Research Center
for Artificial
Intelligence



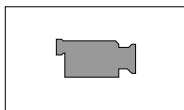


Estimation challenges

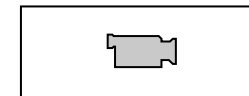


- **Mobile Robots** are increasingly being used in high-risk, **rough terrain situations**, such as reconnaissance, patrol, search and rescue applications, and planetary exploration.
- Conventional control and localization algorithms are not well suited to **uneven terrain**, since they generally do not consider the physical characteristics of the vehicle and its environment.
- Little attention has been devoted to the study of the **dynamic ill-effects** occurring at the wheel-terrain interface, including **slippage**.

These effects compromise the vehicle performance in terms of **odometry accuracy, traction ability, power consumption** leading to potential danger of entrapment with consequent mission failure



Sherpa



NASA

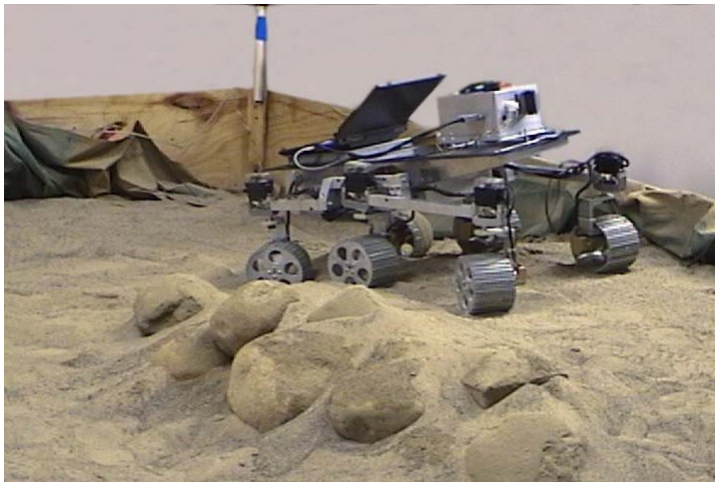
Solution: provide a planetary rover with **terrain awareness** ability



Slippage estimation



Improve odometry-based localization



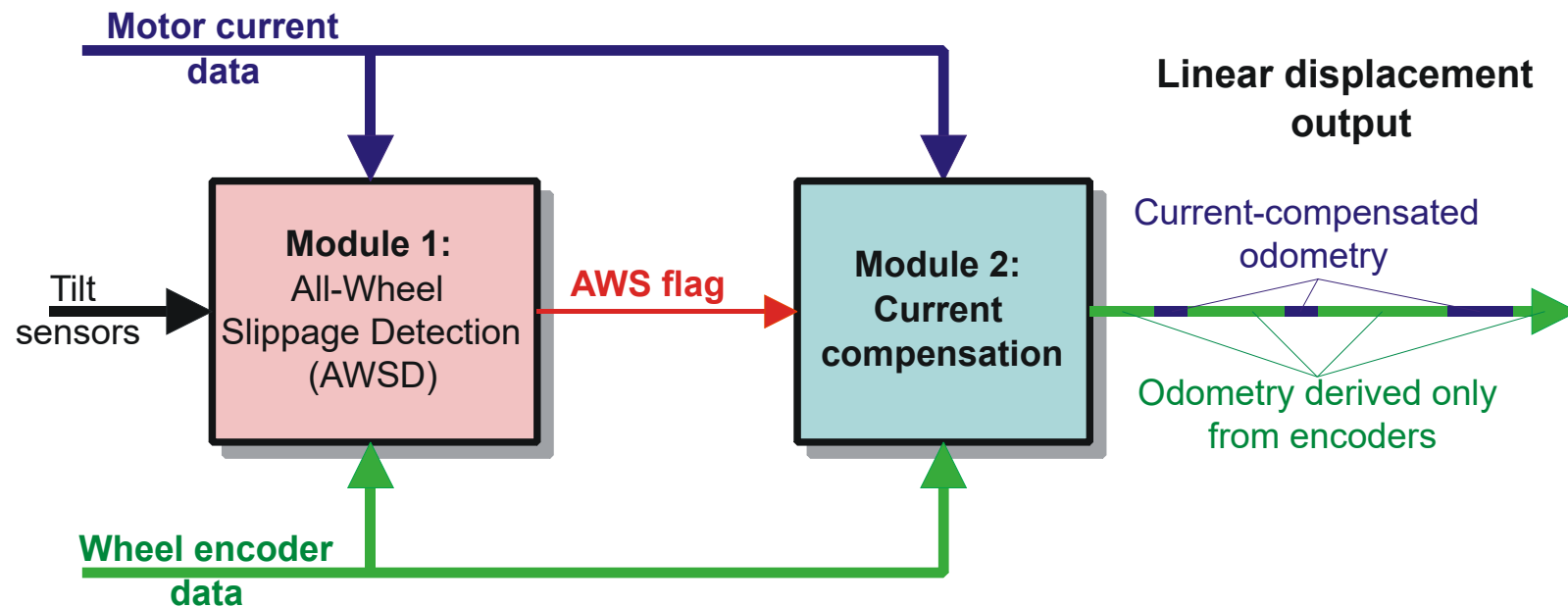
Six-wheeled Mars rover analogue
University of Michigan (NASA/JPL contract)



Four-wheeled Moon rover analogue
Tohoku University, Japan (JSPS Fellow)



- **Wheel slip detection** based on observing different sensor modalities implemented onboard and defining deterministic conditions for **vehicle slippage** (AWSD)
- **Odometry correction** based on motor current measurements (iComp)
 - wheel slippage estimation from electrical current and correction of corrupted encoders readings accordingly

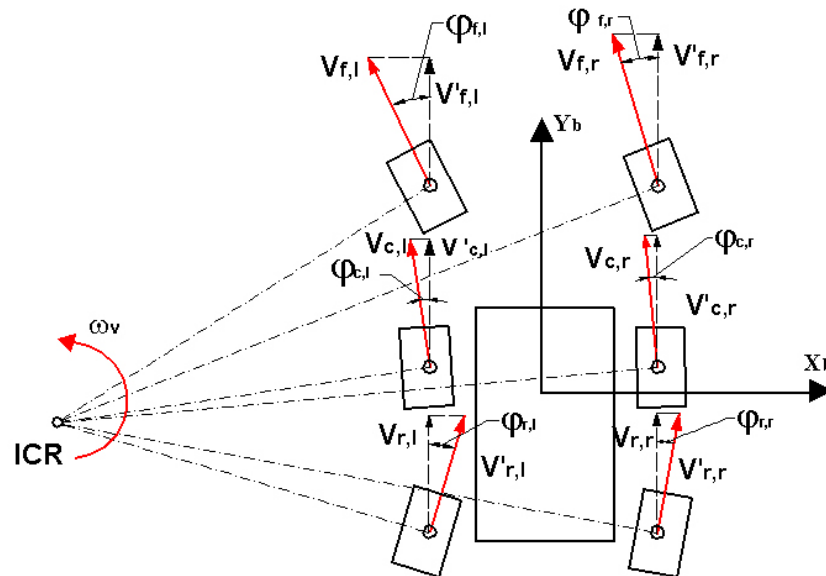




- Encoder Indicator (EI) – compares encoder readings with each other
- Gyro Indicator (GI) – compares encoder readings with those of the gyro that measures rate-of-turn around the z-axis
- Current Indicator (CI) – monitors motor electrical currents, which are roughly proportional to the torque applied to each wheel

Encoder Indicator

- While the linear velocities of the wheels differ from each other according to their distance from the Instantaneous Center of Rotation (ICR) of the vehicle, their longitudinal components must be equal on either side of the vehicle
- Our hypothesis is that unequal speeds in the three wheels of a side suggest wheel slippage



No-slip maneuver

Left Side:

$$V'_{f,l} = V'_{c,l} = V'_{r,l}$$

Right Side:

$$V'_{f,r} = V'_{c,r} = V'_{r,r}$$

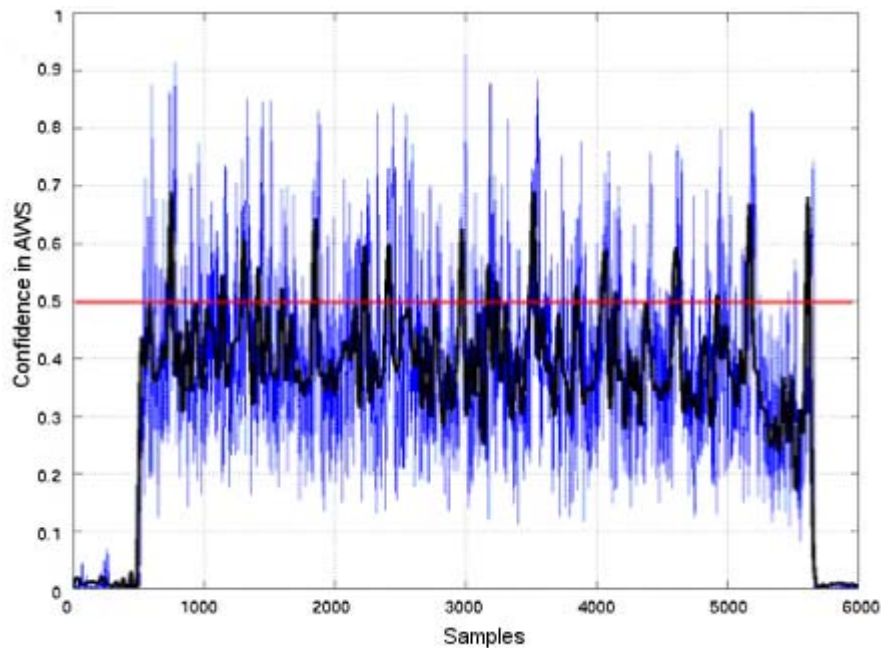
Encoder Indicator, cont'd

- In order to express this hypothesis mathematically, we adopted fuzzy logic that uses rules to map from inputs to outputs
- The Fuzzy inference system fuses the sensory information based on the rule set shown in Table 1, which implement our in-depth physical understanding of the behavior of the encoders

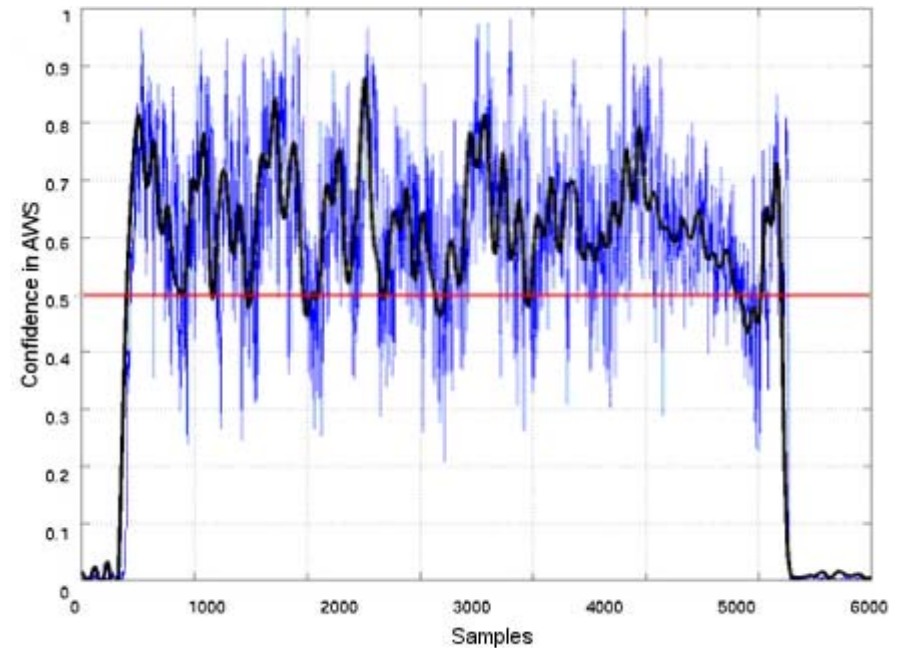
Table 1. Fuzzy Logic rules for the Encoder Indicator.

R u l e	Input: Difference in longitudinal speeds between			Output: Confidence in AWS (low = vehicle gripping; high = vehicle slipping)	
	#	Front- Center	Front- Rear		Center- Rear
	1	Small	Small	Small	Low
	2	Small	Small	Large	High
	3	Small	Large	Small	Med.
	4	Small	Large	Large	High
	5	Large	Small	Small	Low
	6	Large	Small	Large	Med.
	7	Large	Large	Small	Med.
	8	Large	Large	Large	High

- Output of the fuzzy logic system of the Encoder Indicator (blue line, the bold line shows the smoothed output):
 - for a high-traction terrain (Figure a)
 - and a high-slippage terrain (Figure b)



a) High traction terrain (no slippage)



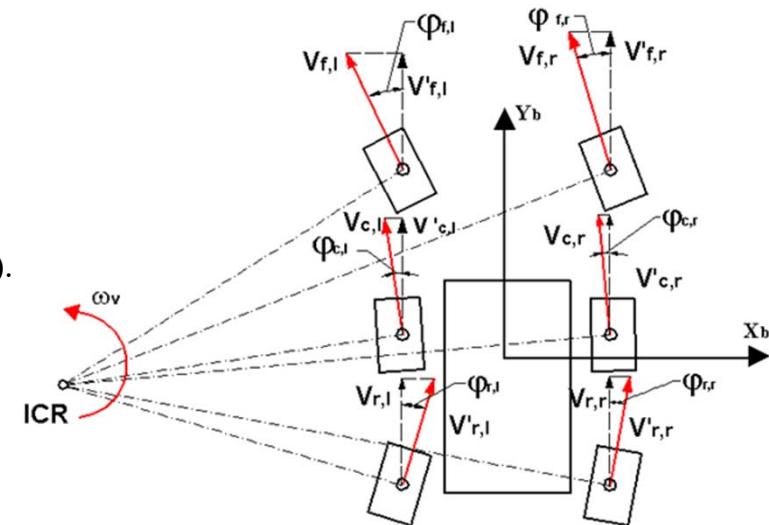
b) Sloped, sandy terrain with substantial slippage

Gyro Indicator

- This method aims at detecting wheel slippage by comparing encoder data with gyro data.
- We can compute the rate-of-turn ω of the vehicle from each one of the three encoder pairs, identified by index i : the front, the center, and the rear pair, according to:

$$\omega_{Enc, i} = \frac{d_{i,r} \cdot \cos \varphi_{i,r} - d_{i,l} \cdot \cos \varphi_{i,l}}{b \cdot T}$$

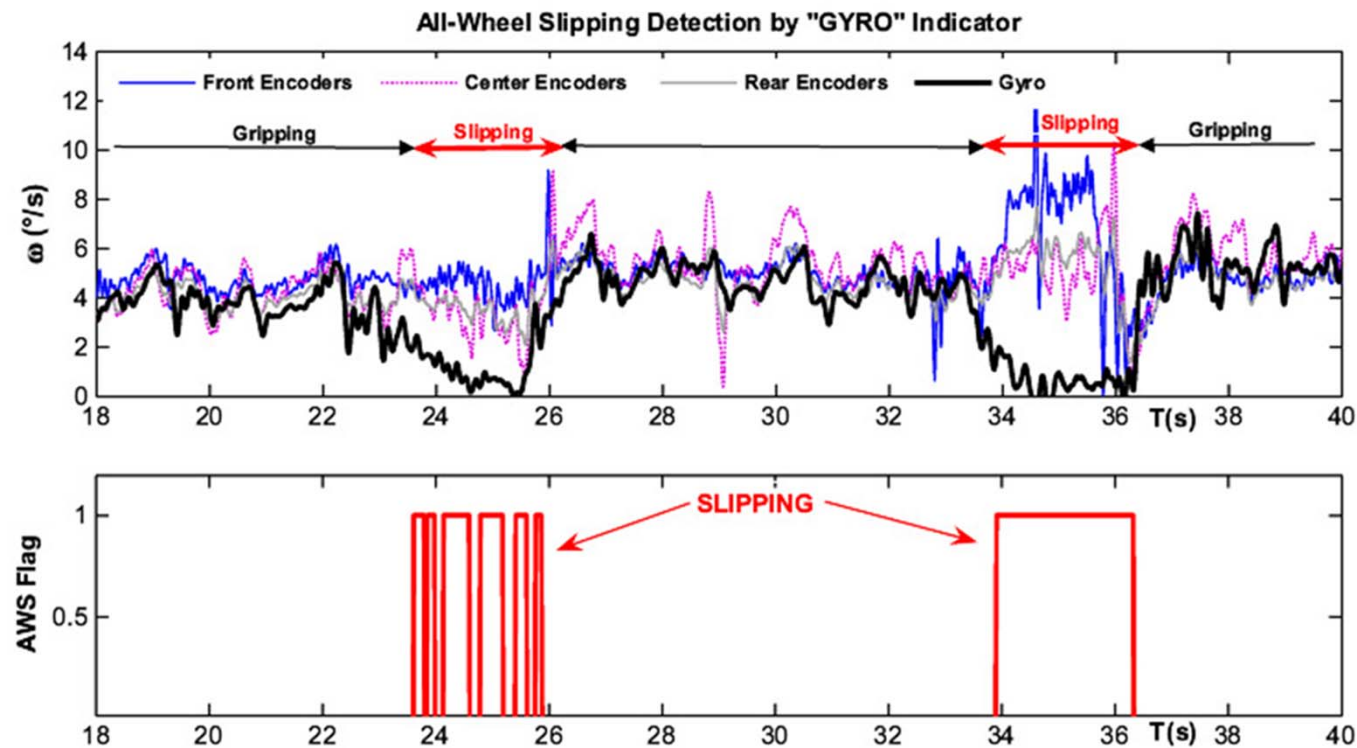
- $d_{i,r/l}$ - distance traveled by the right/left wheel of wheel pair i .
 $\varphi_{i,r/l}$ - steering angle of the right/left wheel of wheel pair i .
 b - vehicle width (distance between the left and right wheel).
 T - sampling interval.



- We can now compare each of the three $\omega_{Enc,i}$ with the rate-of-turn measured by the z-axis gyro ω_{Gyro} , which we consider the ground truth in this approach.
- If no slippage occurred in a wheel pair, then one can expect good correspondence between the rates-of-turn derived from the encoders of that wheel pair and the gyro. Poor correspondence suggests wheel slippage

Gyro Indicator, cont'd

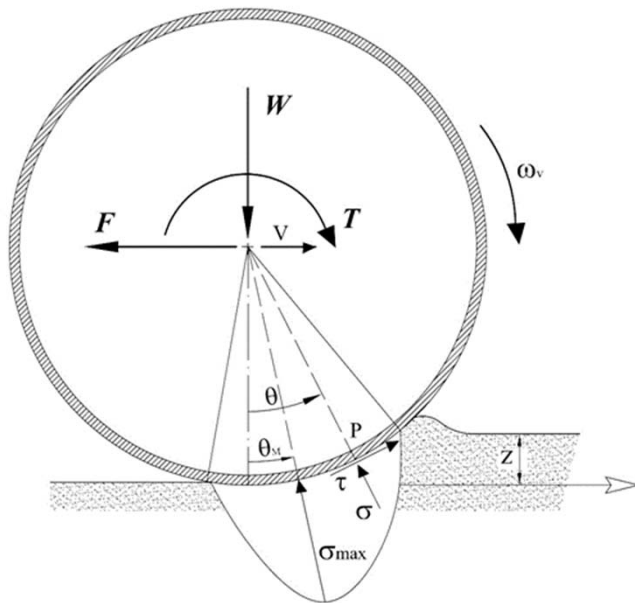
- Also for the Gyro Indicator, we developed a Fuzzy inference system to fuse sensory data.
- The fuzzified output of the GI is here expressed in terms of a binary, so-called “AWS flag,” which is raised whenever the system’s confidence in the existence of an AWS condition is greater than 0.5 (red bold line in the bottom graph).



Current Indicator

- The **Current Indicator** aims at detecting AWS by monitoring the electrical currents drawn by the drive motors of the vehicle.
- When a torque is applied to a wheel, shearing action is initiated on the terrain interface creating a tangential stress region τ , whose resultant gives the so called tractive effort **F**
 - Using Terramechanics theory it is possible to find a relationship between F and the wheel slip i
 - Since torque is roughly proportional to the motor current I , it is also possible to link I to the wheel slip

Terramechanics theory (Bekker, Wong):



$$\tau(\theta) = [c + \sigma(\theta) \tan \varphi] \left(1 - e^{-\frac{j(\theta)}{K}} \right)$$

$$\textcircled{1} \quad T = r^2 b \int_{\theta_2}^{\theta_1} \tau(\theta) d\theta = F(i)$$

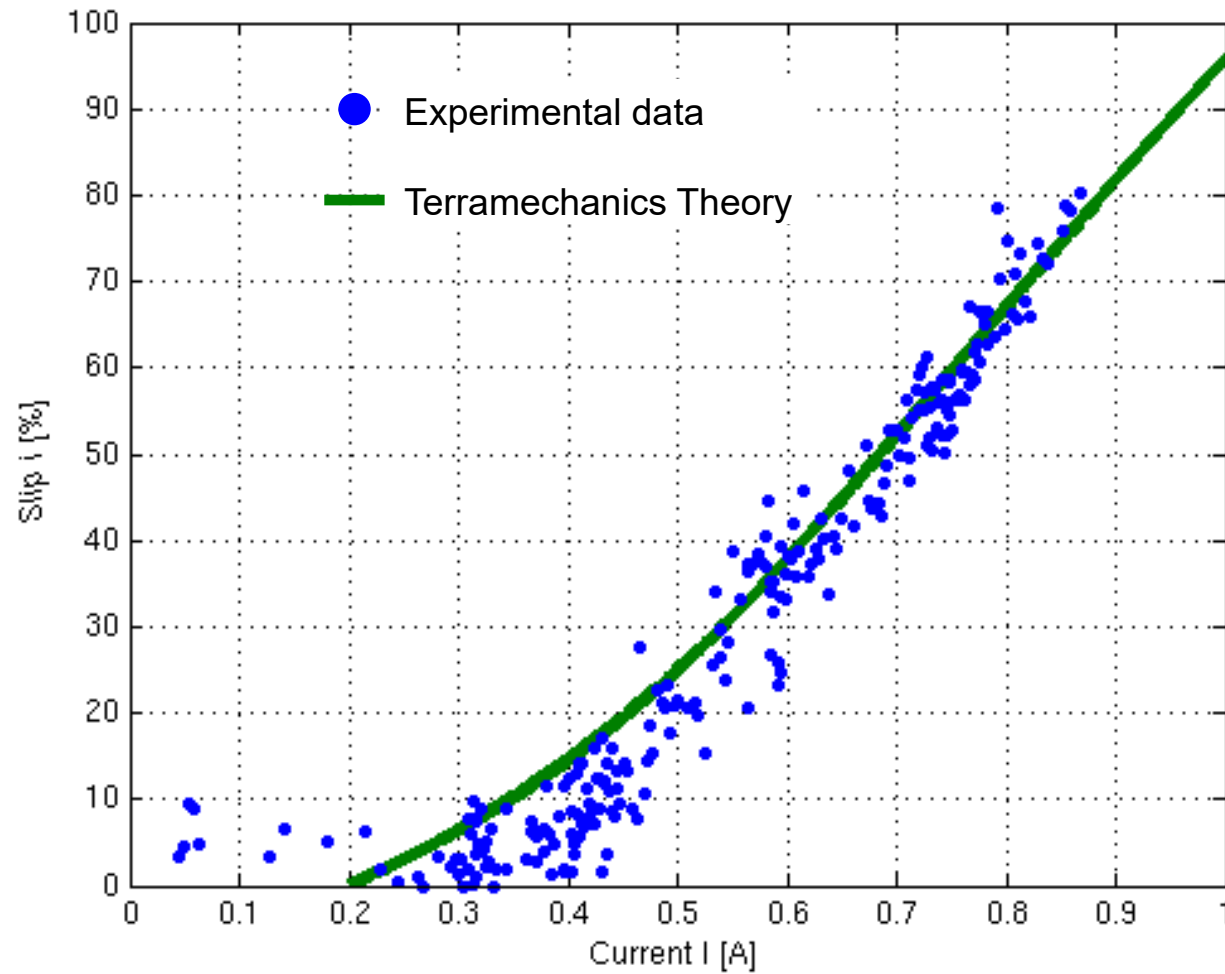
$$\textcircled{2} \quad T = k_I I$$

$$i = S(I)$$

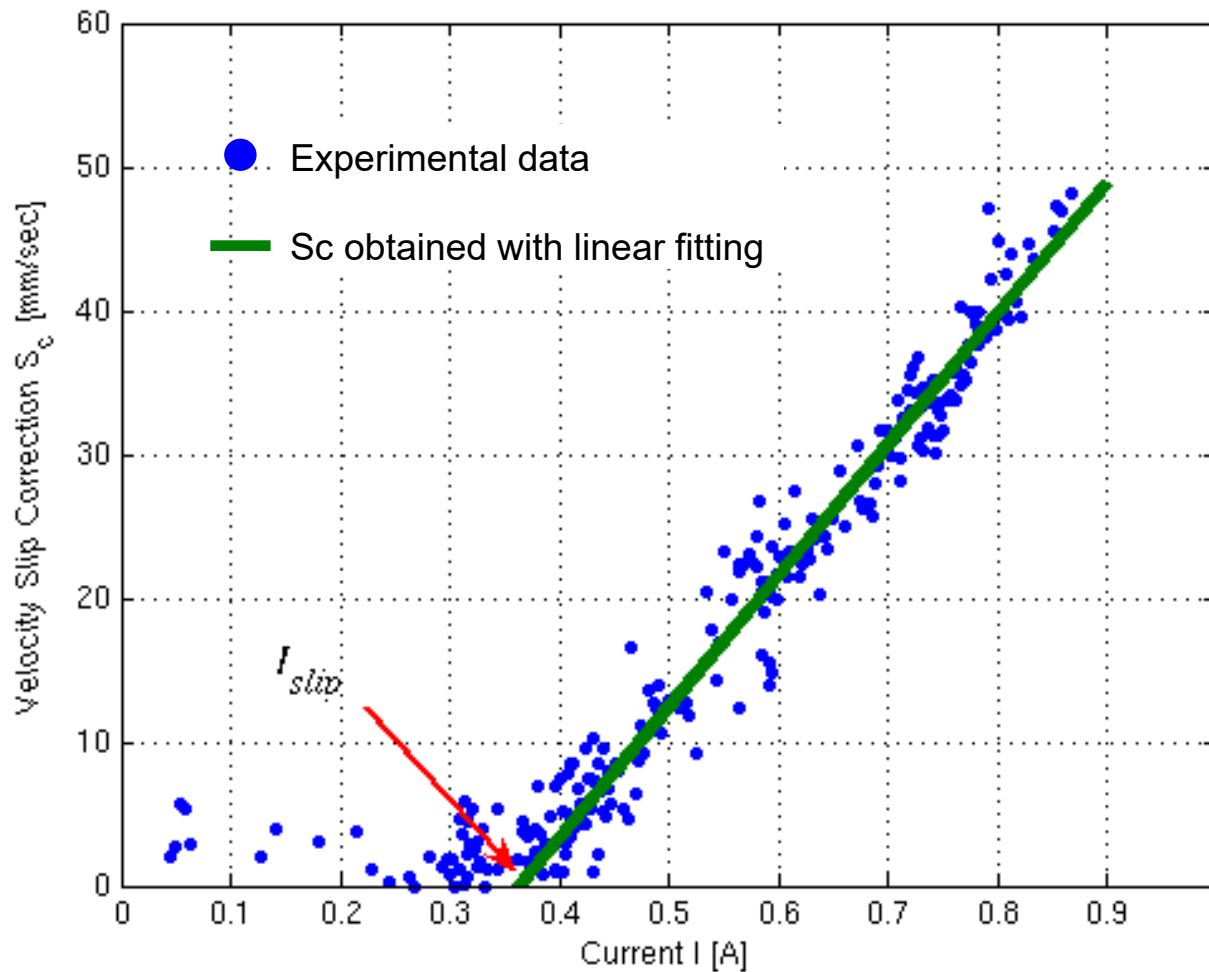
c, φ - cohesion and internal friction angle, respectively

K - shear deformation modulus (i)

j - shear displacement.



We defined the parameter velocity slippage correction S_c , which represents the correction value to be used for slippage compensation



Velocity slip correction S_c

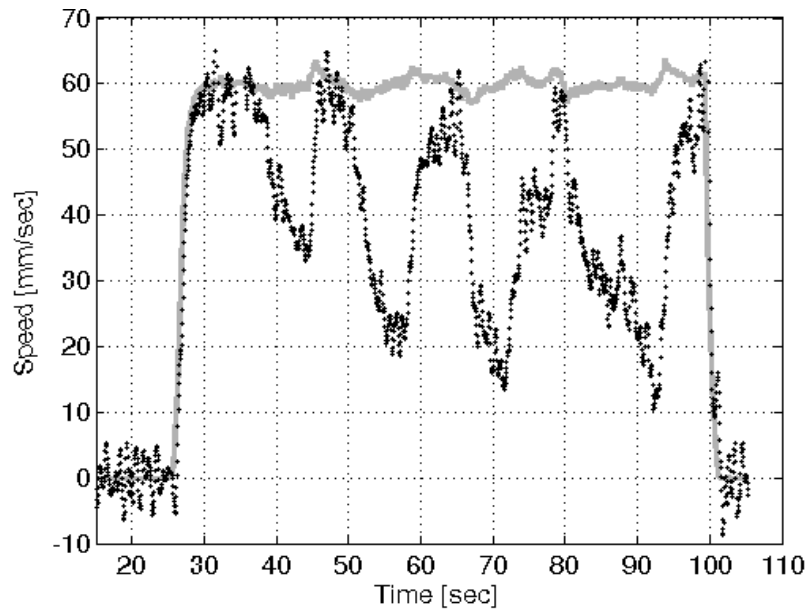
$$S_c = \begin{cases} \xi (I - I_{slip} - C_{pitch} \theta_r) & I > I_{slip} \\ 0 & otherwise \end{cases}$$

Odometry correction

$$v_c = v_{odo} - S_c$$

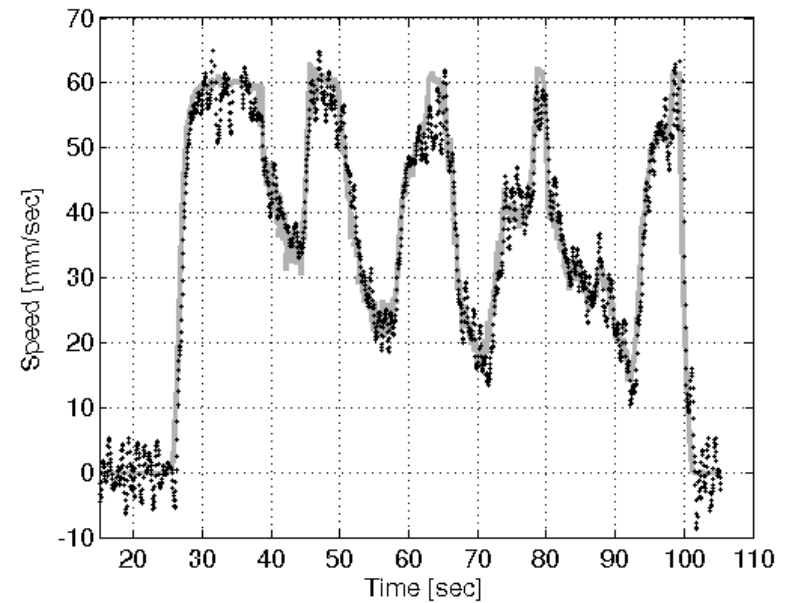
On-line calibration





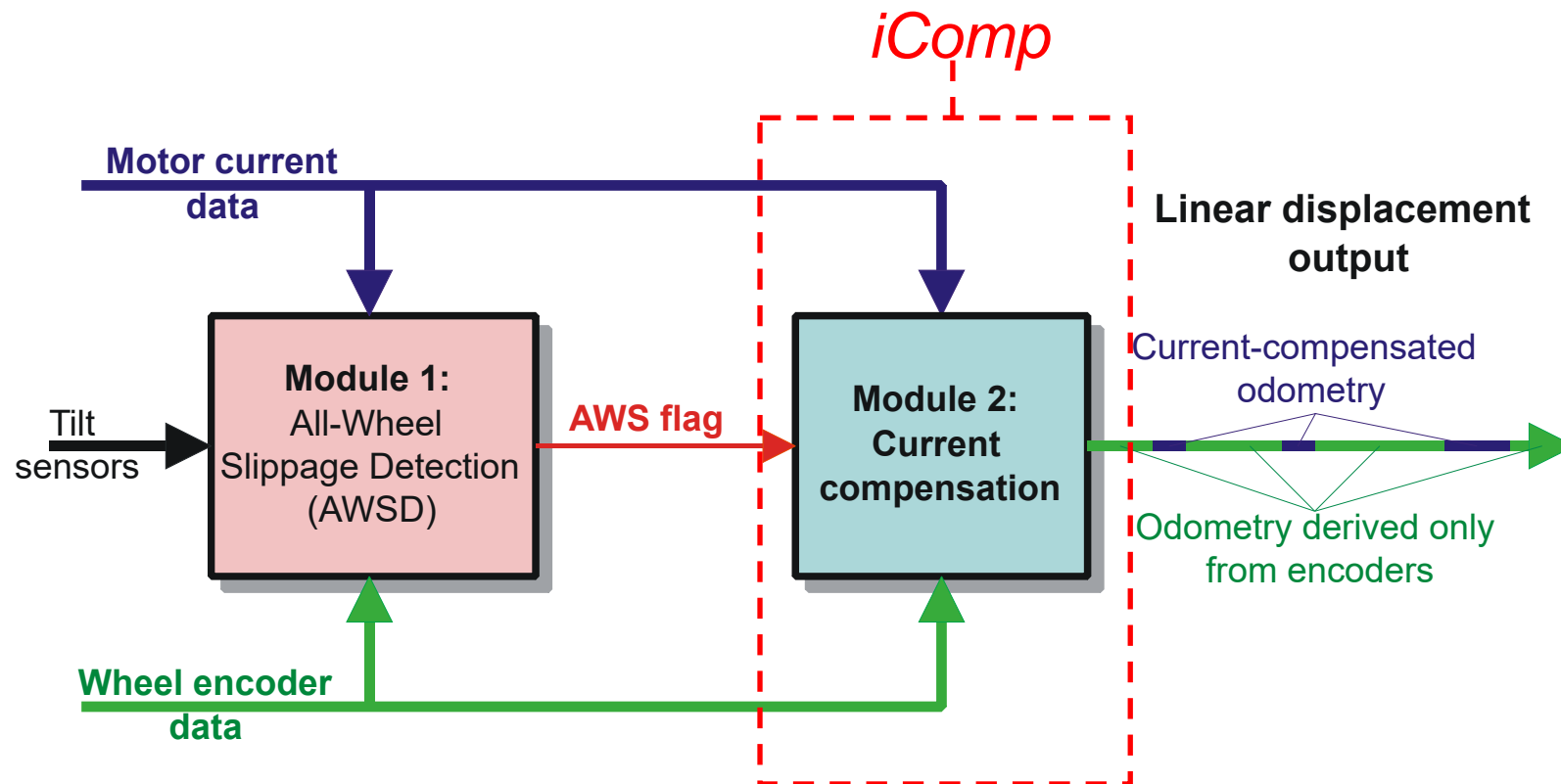
- Encoder
- Ground truth

After compensation



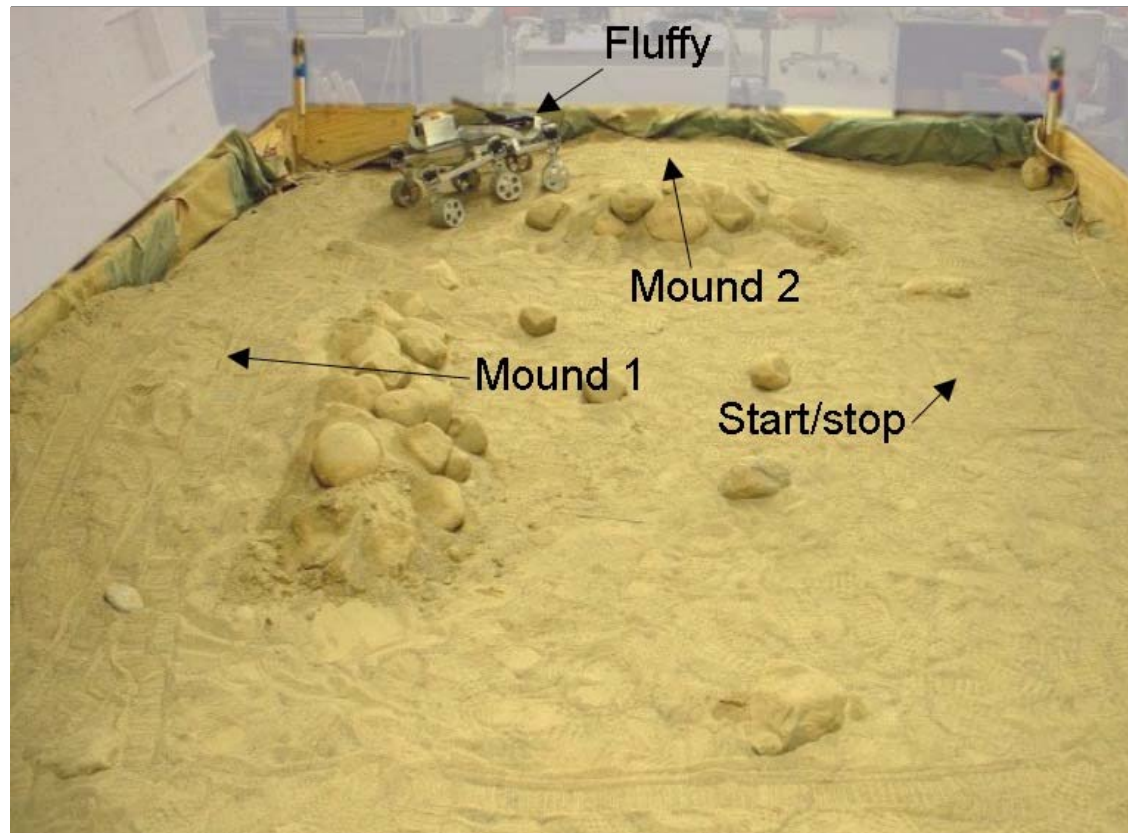
- Encoder
- Ground truth

- It is generally beneficial to know that AWS has occurred or that some wheels are approaching a condition of impending slippage to compensate odometry errors and optimize traction control.
- The CI is useful not only to flag occurrences of AWS but indeed is also useful for correcting odometry errors incurred by AWS with values derived from momentary motor currents.

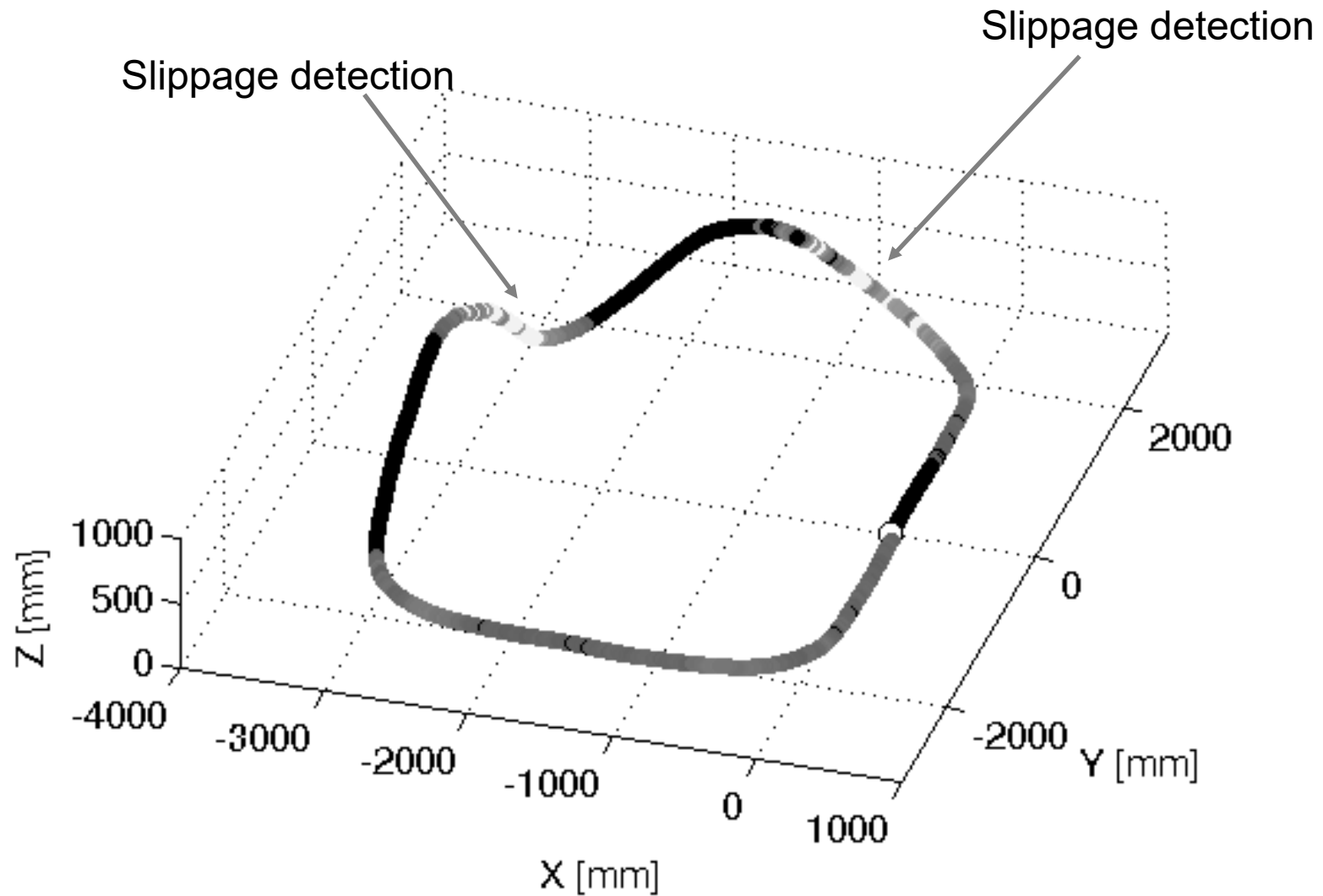


Experiments

- The rover traveled autonomously along a pre-programmed, near-rectangular path
- Each run consisted of three uninterrupted loops, resulting in a total travel distance of $D = 43$ m per run



Path of the rover



Results

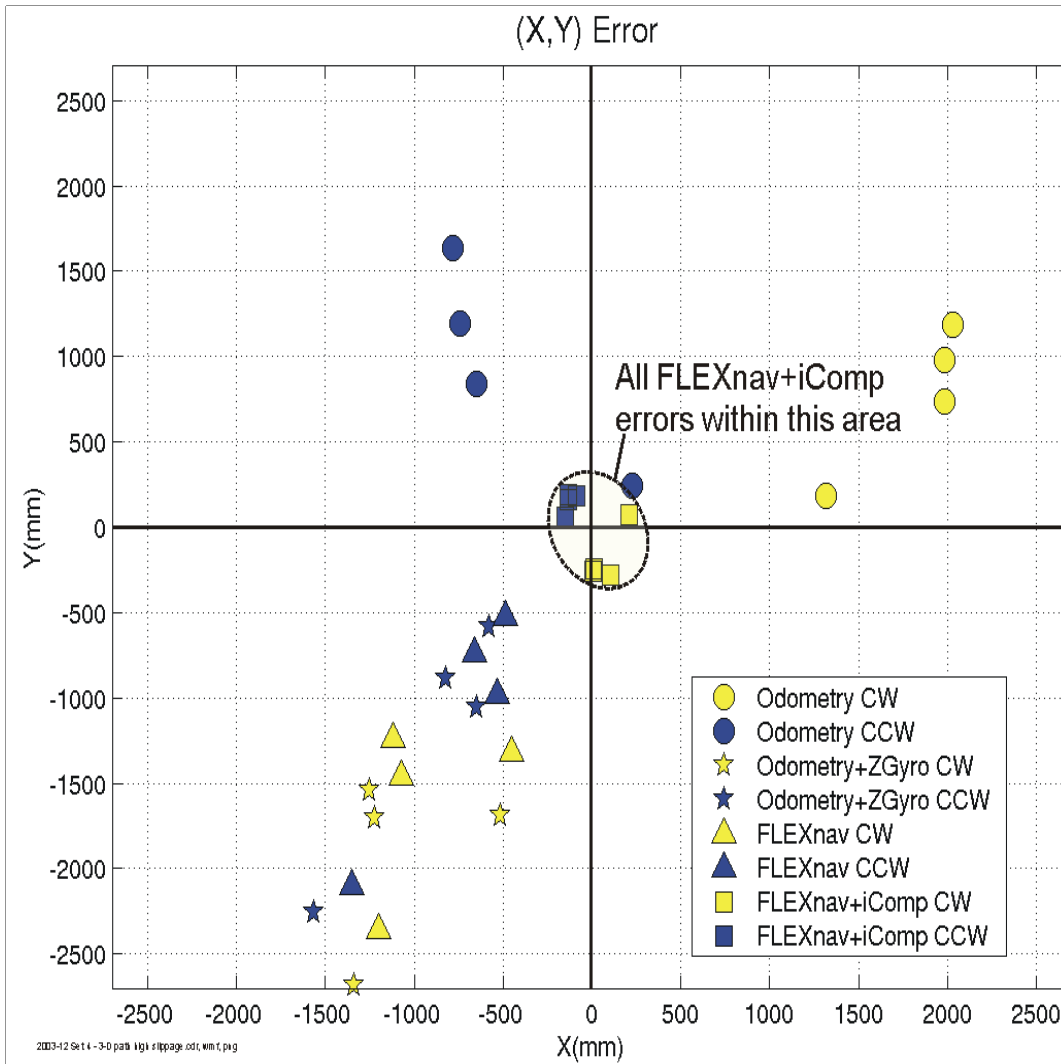
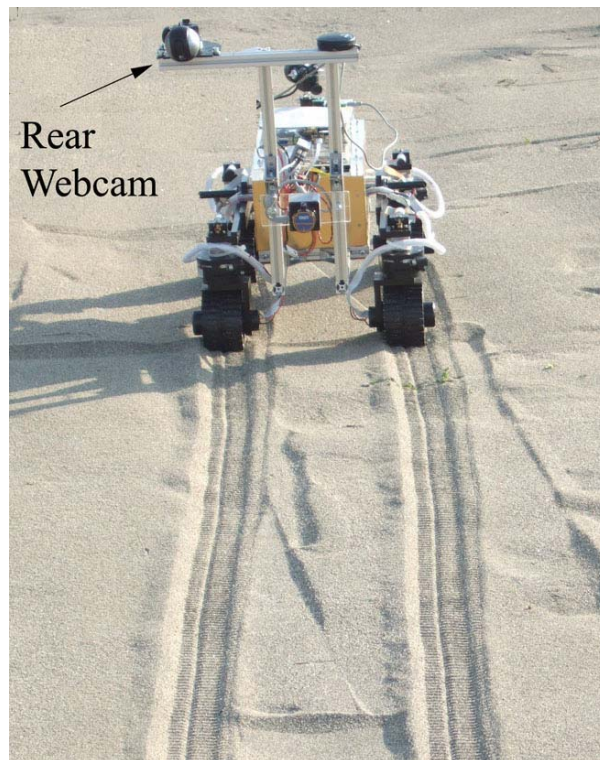


Table I: Return Position errors

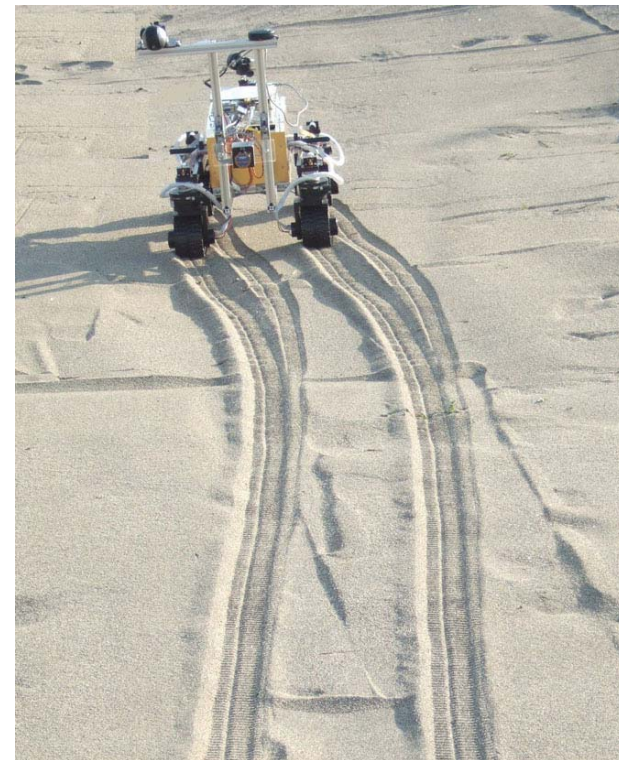
	Odometry	Odometry +Gyro	iComp
<u>E %</u> (CW)	3.7	3.0	0.45
<u>E %</u> (CCW)	4.6	4.3	0.53

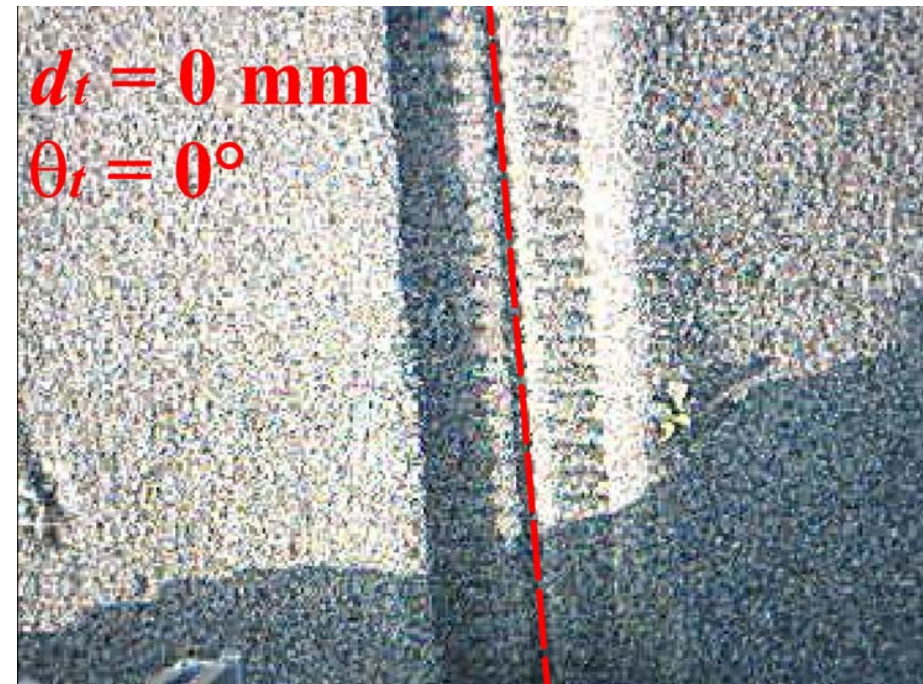
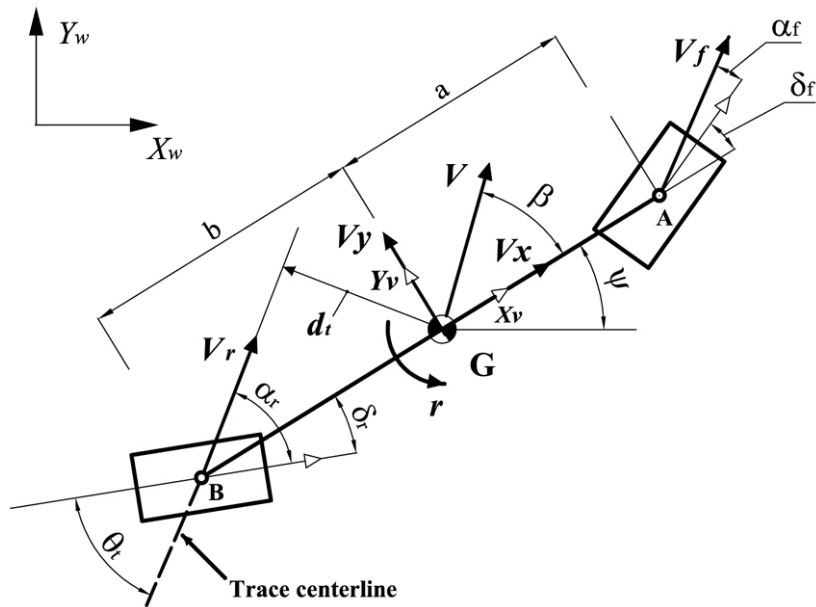
Lateral drift

No Drift



Lateral Drift



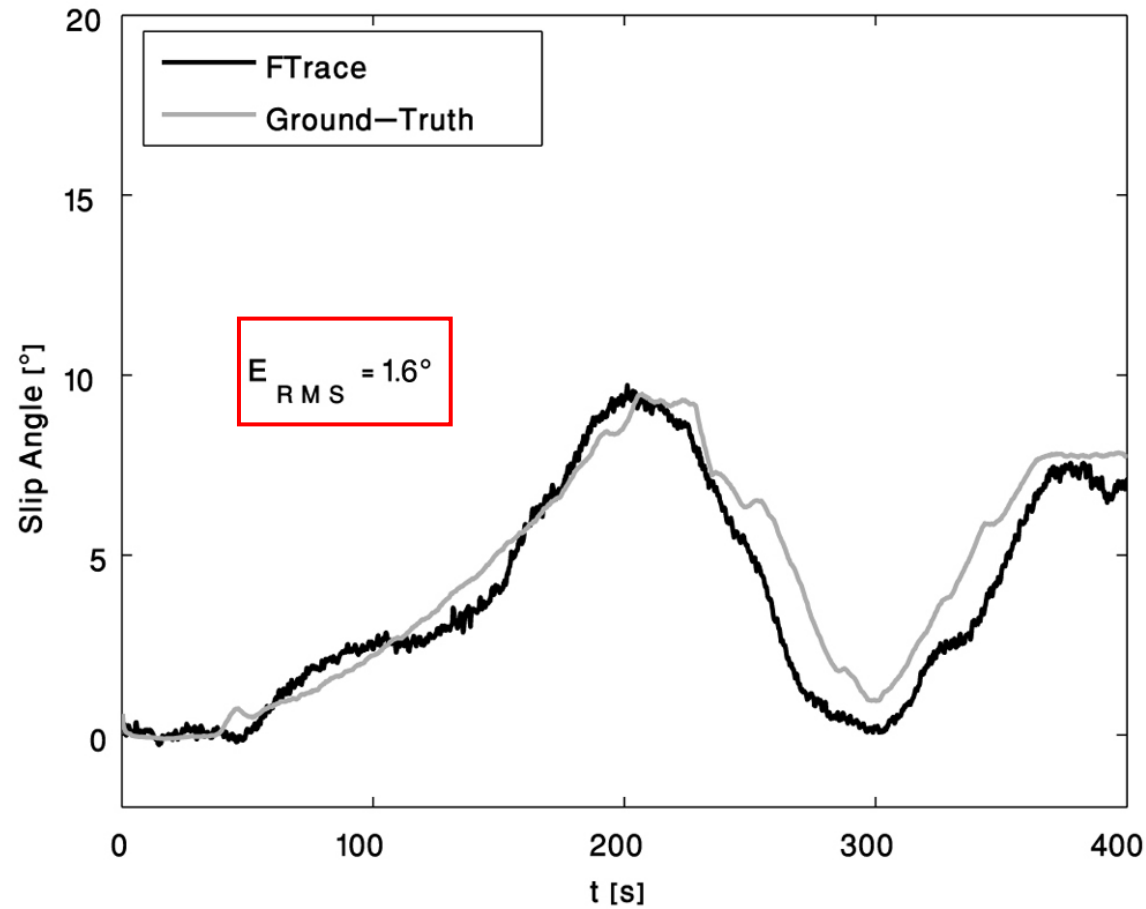


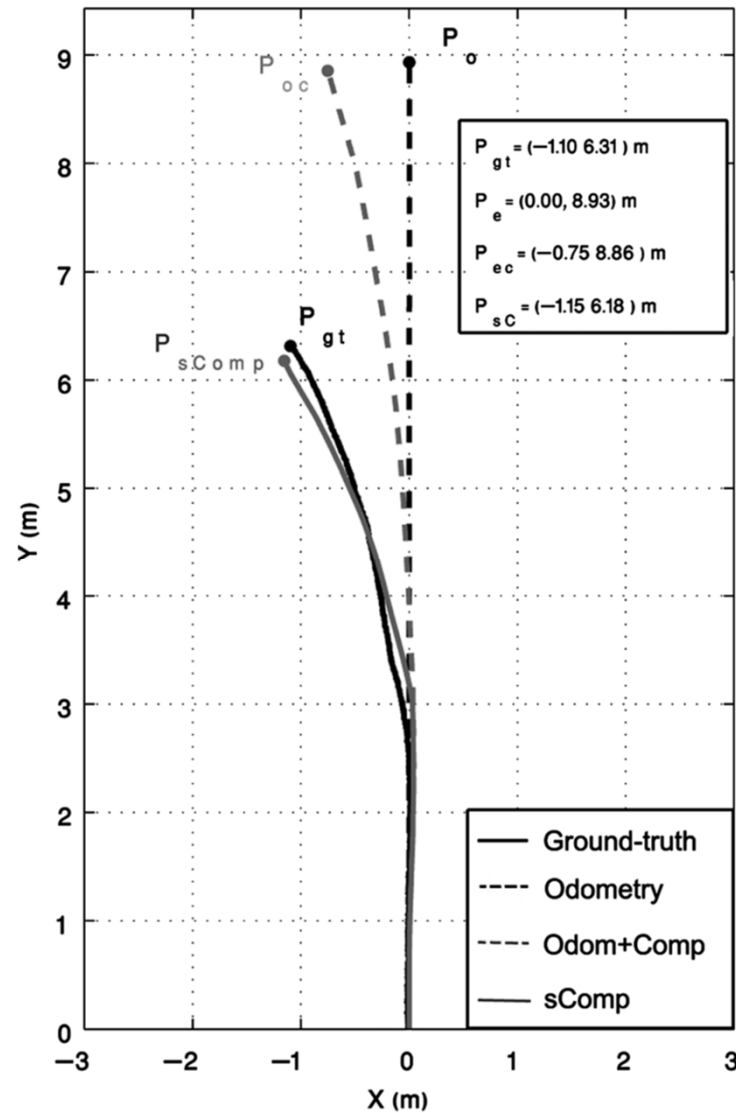
Experimental Validation

- The FTrace system was tested in the field using the rover El-Dorado, equipped with a cost-effective rear webcam, and a sampling rate of 5 Hz.
- The test field was located on the shorelines of a sandy beach, comprising large flat areas and sparse mounds of different extensions and heights.
- Ground-truth data was provided by a laser-based tracking system.



Slip Angle Estimation







Soil modelling

- Experimental data: results here presented are obtained from two previous SherpaTT test campaign
 - Utah: rocky terrain; sensors unavailable: stereo camera,
 - Morocco: sandy terrain; sensors unavailable: stereo camera , IMU, GPS

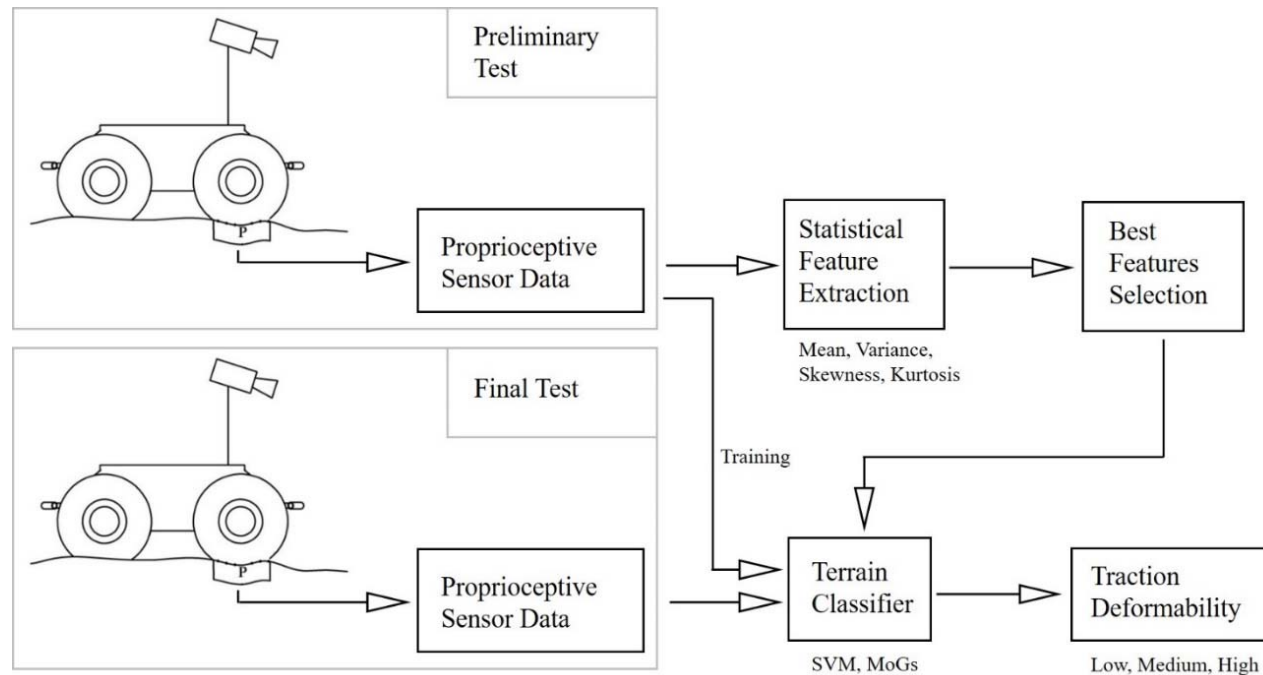
Utah



Morocco



Main goal: build a terrain model based on a set of selected proprioceptive features



Soil modelling

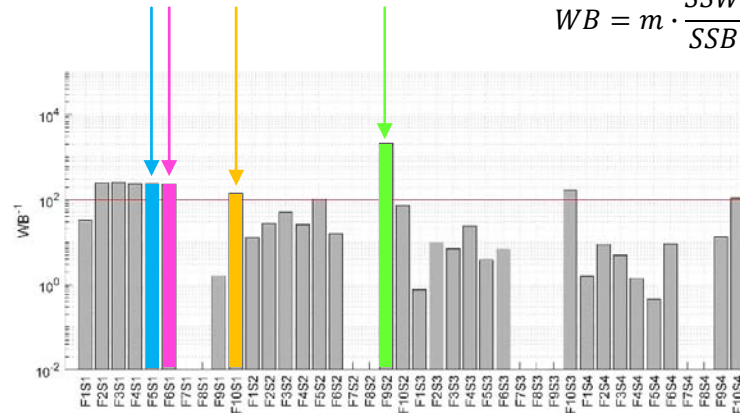
FEATURE SET

F1	Longitudinal Force
F2	Torque
F3	Current
F4	Mechanical Power
F5	Electrical Power
F6	Friction Coefficient
F7	Acceleration X
F8	Acceleration Z
F9	Speed Deviation
F10	Sinkage
F11	Slippage

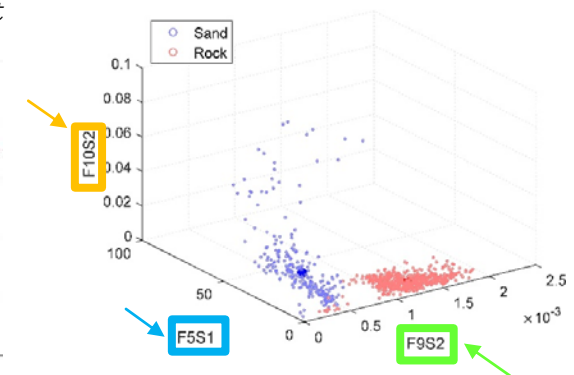
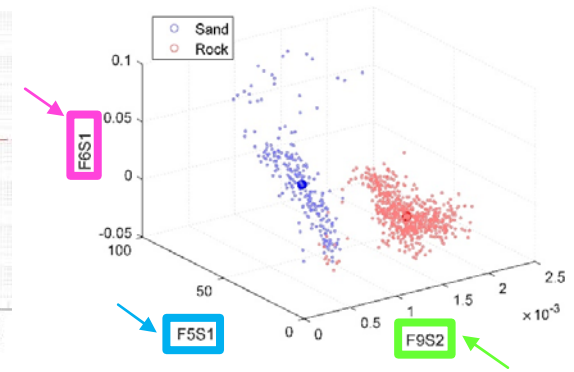
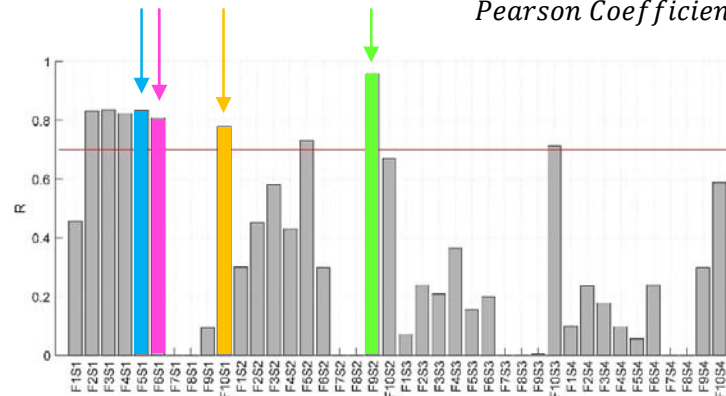
STATISTIC MOMENTS

S1	Mean
S2	Variance
S3	Skewness
S4	Kurtosis

$$WB = m \cdot \frac{SSW}{SSB}$$



Pearson Coefficient





Statistical Terrain classifier



SM Confusion Matrix

		Predicted		
		Sand	Rock	
Target	Sand	224 25.3%	32 3.6%	87.5% 12.5%
	Rock	10 1.1%	618 69.9%	98.4% 1.6%
		95.7% 4.3%	95.1% 4.9%	95.2% 4.8%

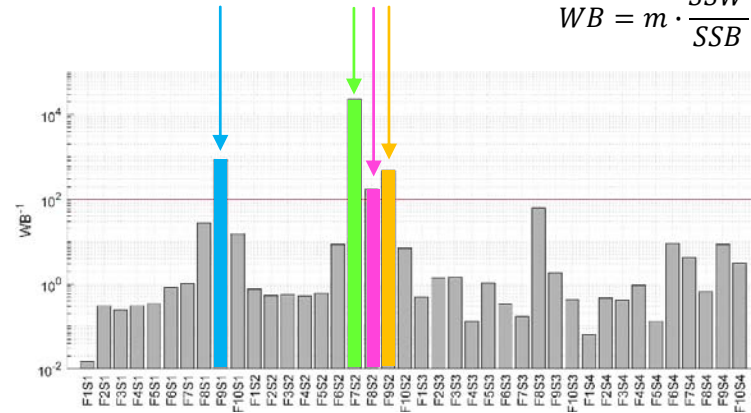


FEATURE SET	
F1	Longitudinal Force
F2	Torque
F3	Current
F4	Mechanical Power
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F8	Acceleration Z
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F10	Sinkage

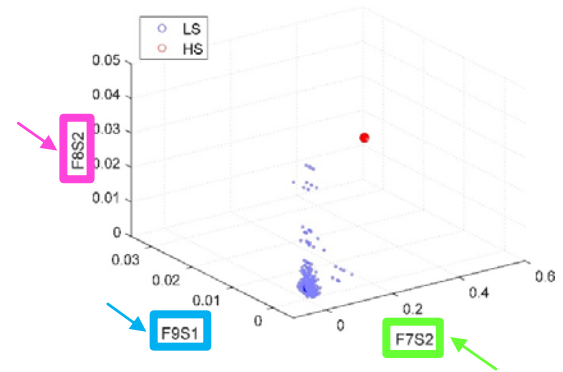
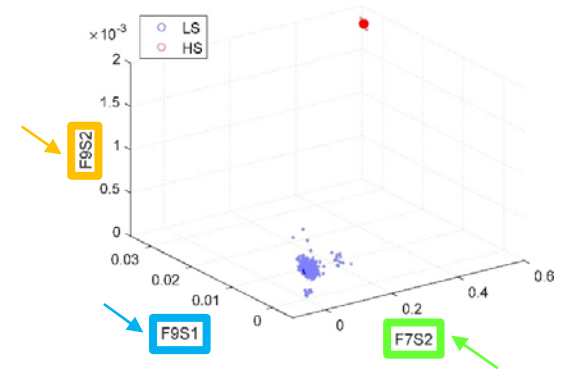
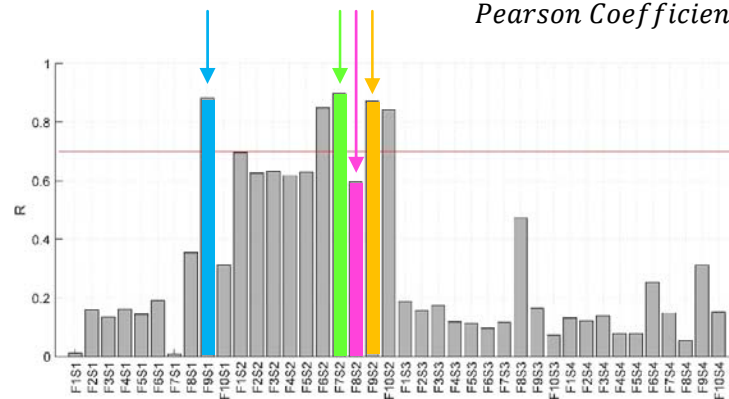
- F7 Acceleration X
- F8 Acceleration Z
- F9 Speed Deviation

STATISTIC MOMENTS	
S1	Mean
S2	Variance
S3	Skewness
S4	Kurtosis

$$WB = m \cdot \frac{SSW}{SSB}$$

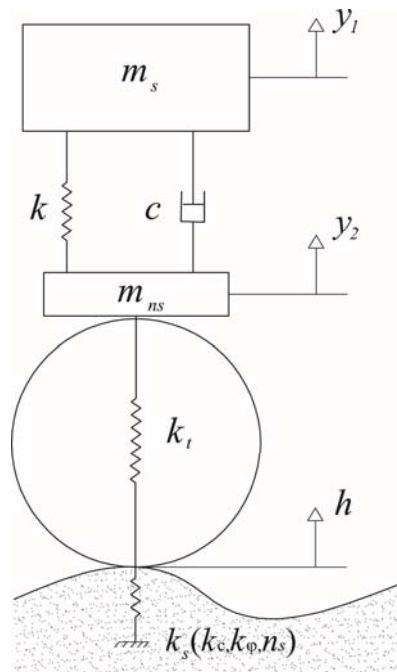


Pearson Coefficient



On-line estimation of vehicle-terrain parameters using model-based observers (e.g., Recursive Least Square, Extended Kalman Filter, Cubature Kalman Filter, etc)

General quarter vehicle model



Reina G , Leanza A., Messina A., "On the vibration analysis of off-road vehicles: Influence of terrain deformation and irregularity", Journal of Vibration and Control, 24 (22), 2018.

Model-based observer

$$\dot{\mathbf{x}} = \mathbf{A}(\mathbf{x})\mathbf{x} + \mathbf{B}u + \mathbf{G}w$$

$$\mathbf{z} = \mathbf{C}(\mathbf{x})\mathbf{x} + \mathbf{v}$$

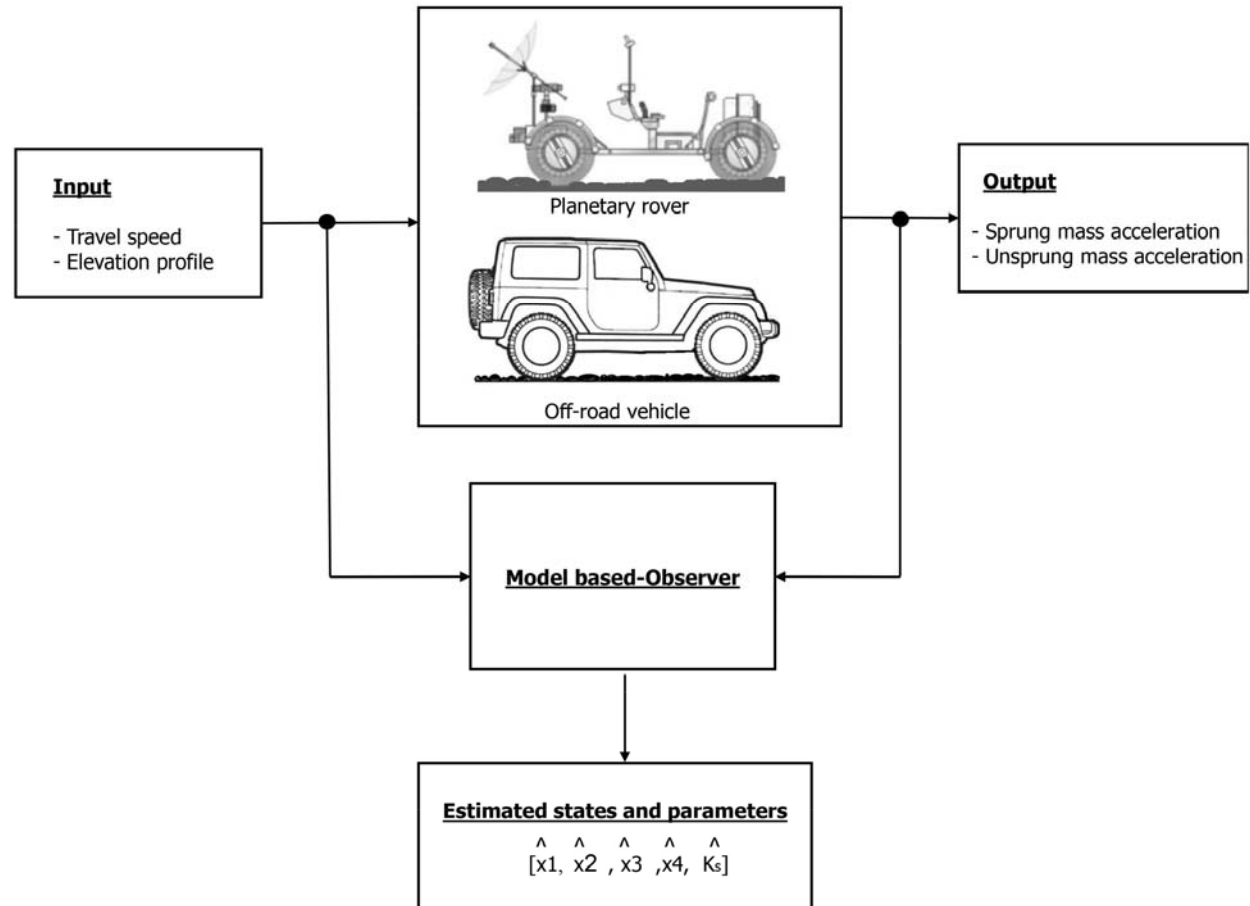
measure

$$\mathbf{x} = \begin{pmatrix} y_1 - y_2 \\ \dot{y}_1 \\ y_2 - h \\ \dot{y}_2 \\ k_{tot} \end{pmatrix} \quad \mathbf{z} = \begin{pmatrix} \ddot{y}_1 \\ \ddot{y}_2 \end{pmatrix}$$

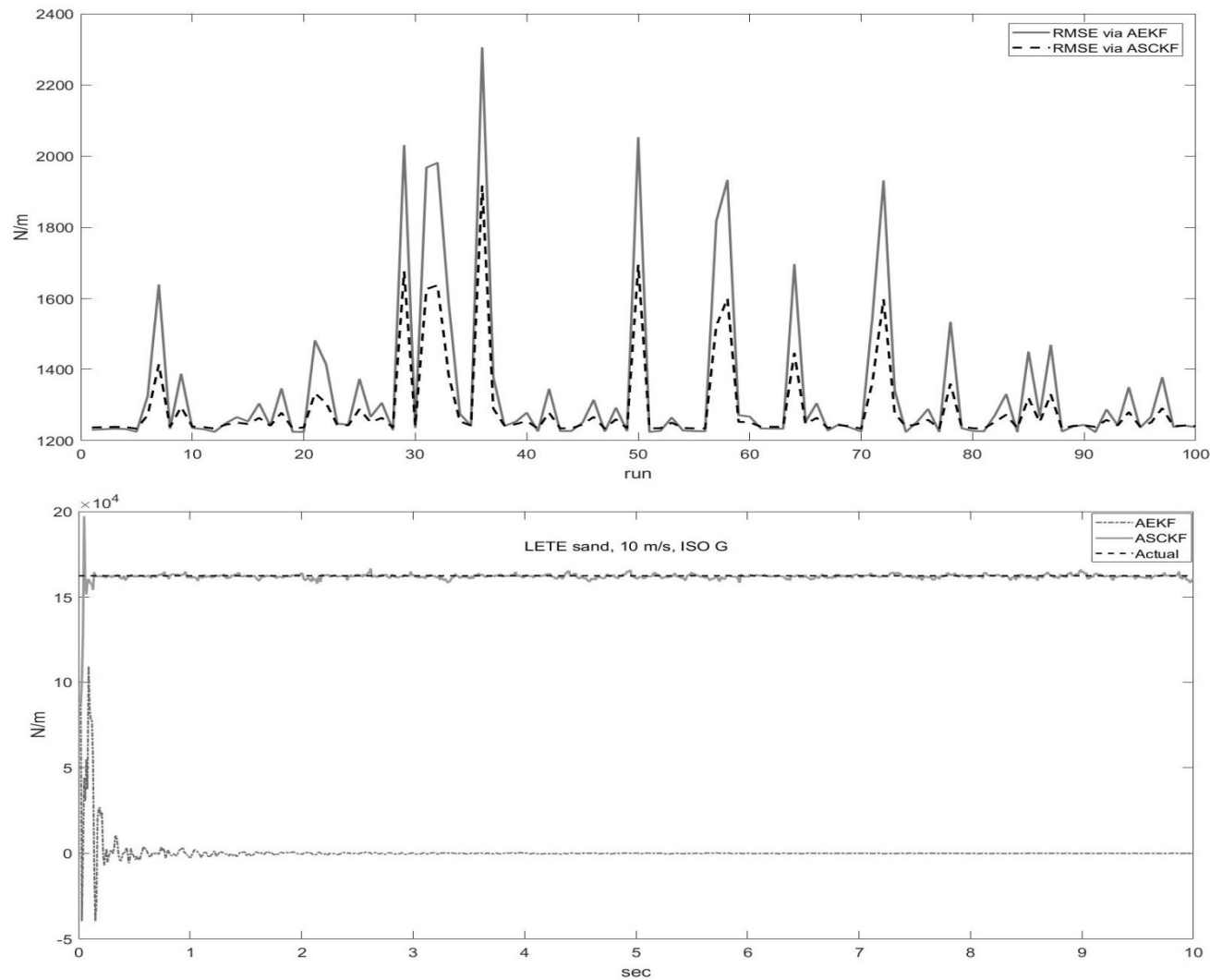
state



Terrain properties observer

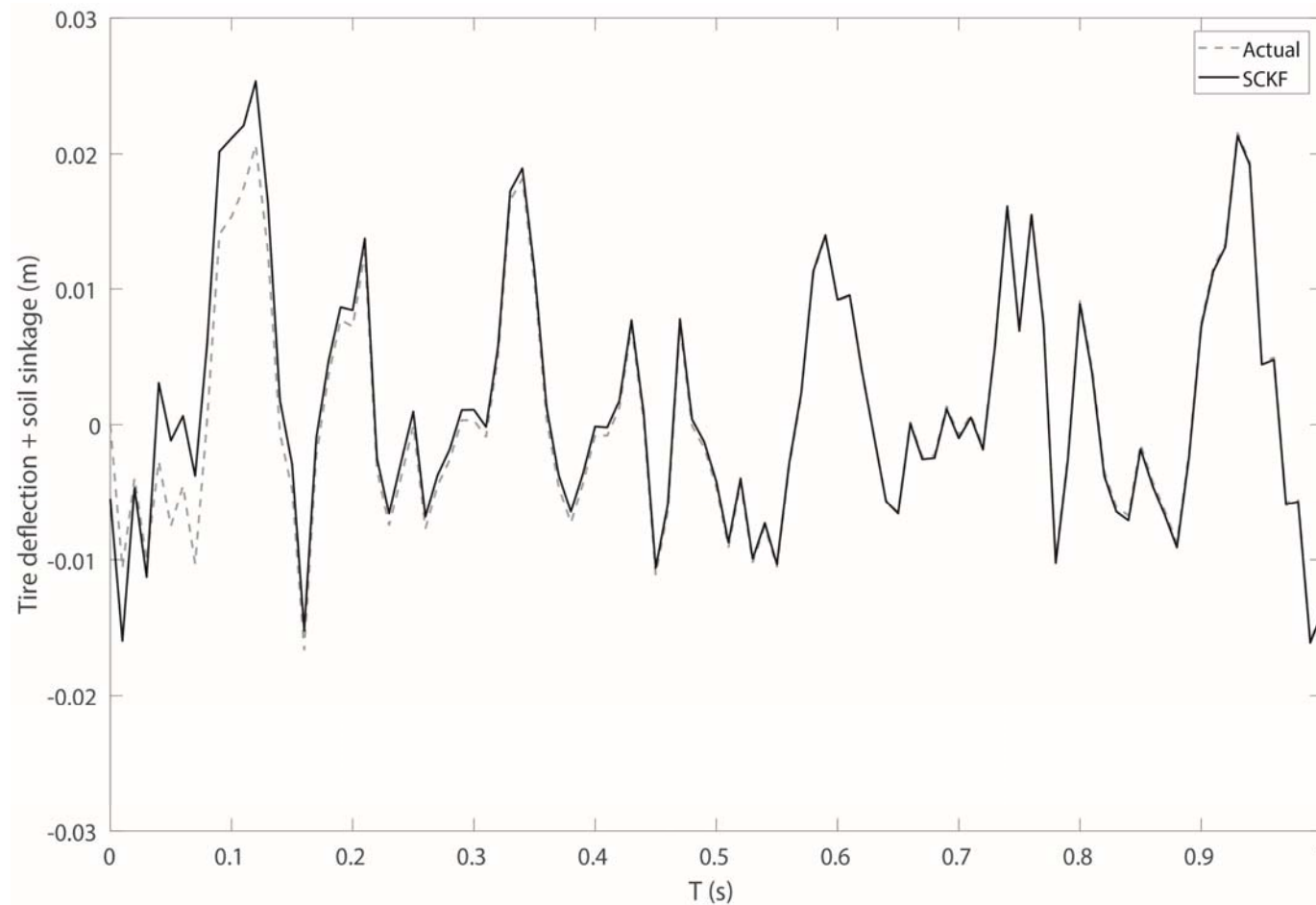


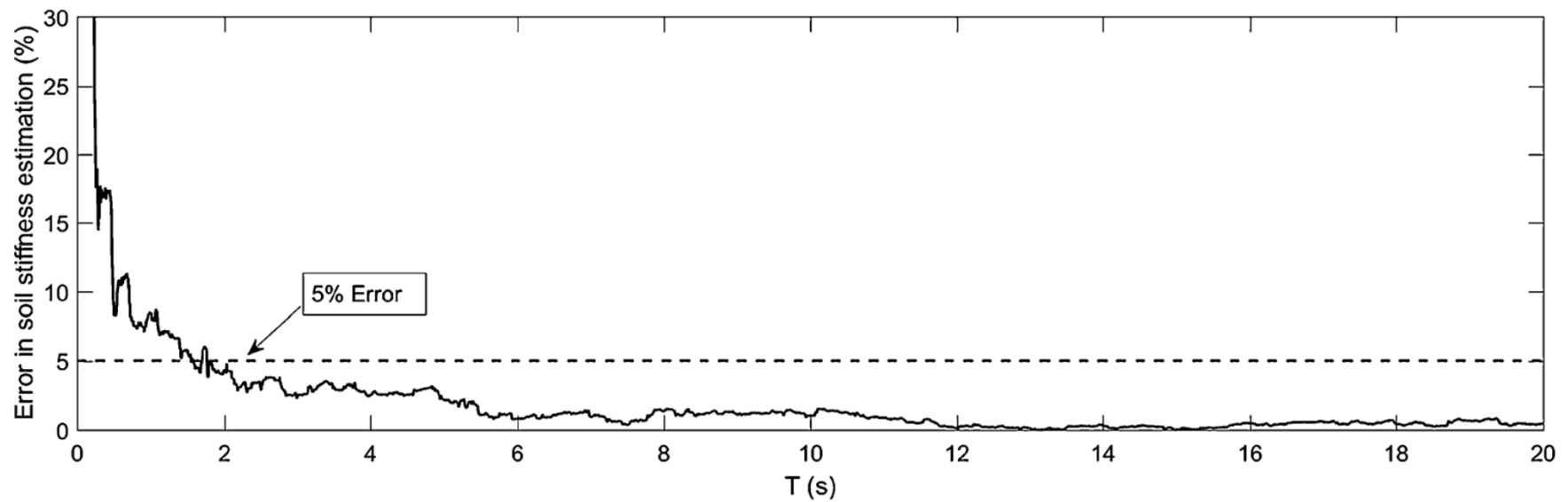
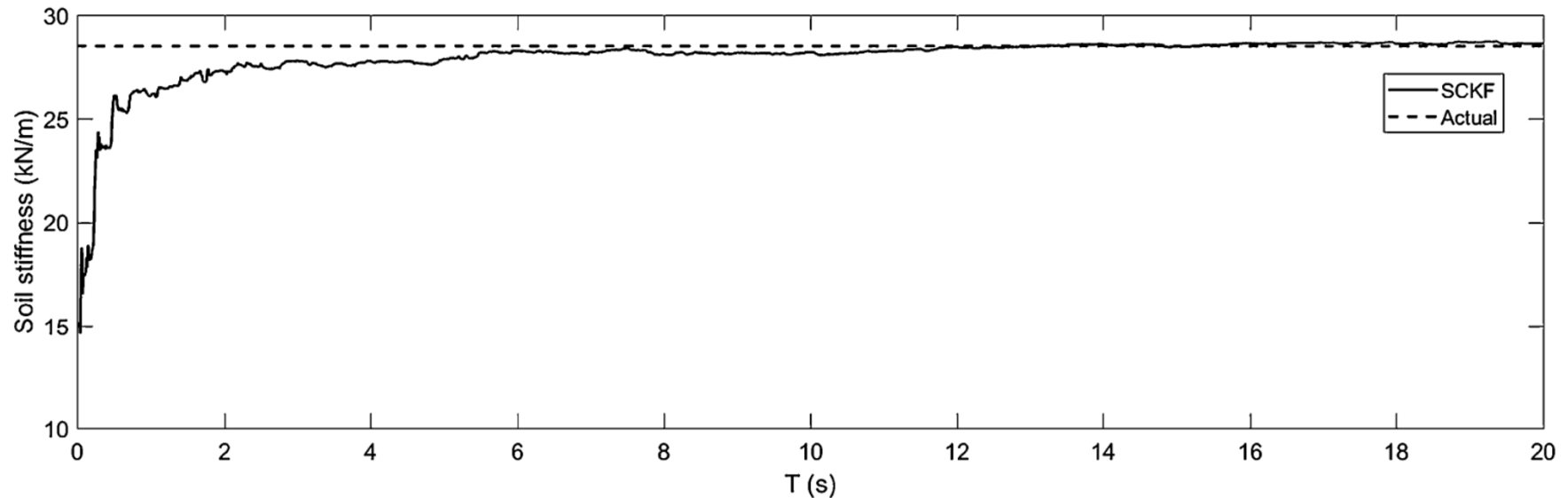
Results



Reina G. , Leanza A., Messina A., "Terrain estimation via vehicle vibration measurement and cubature Kalman filtering", Journal of Vibration and Control, 2020.

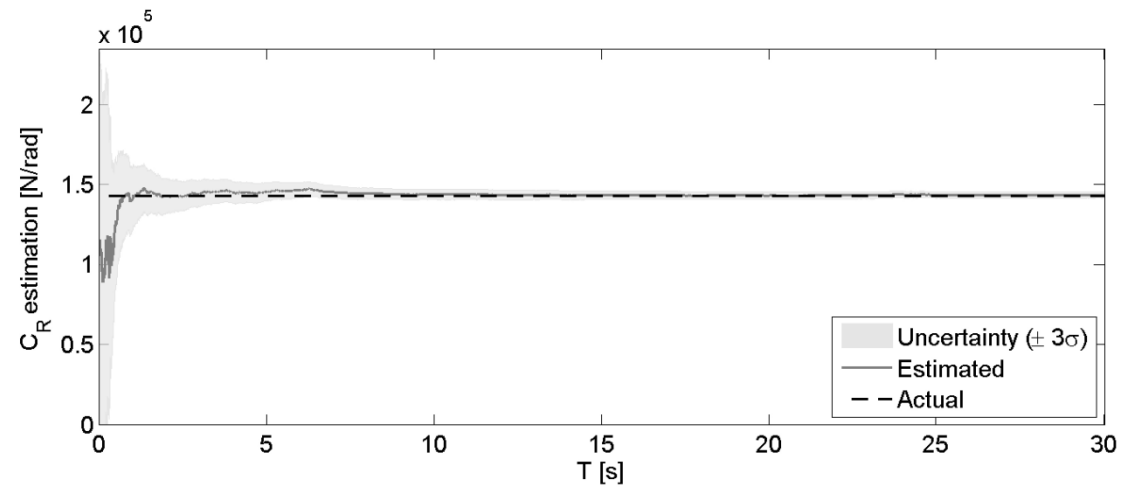
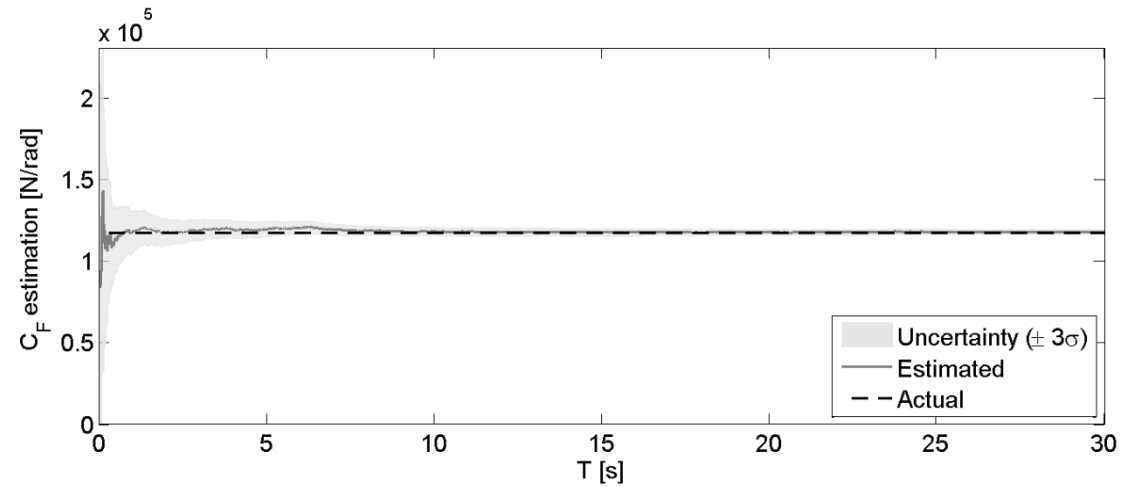
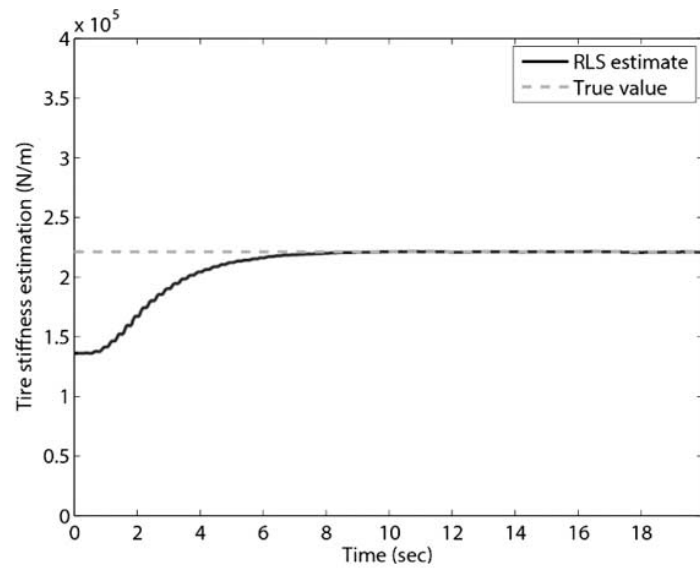
Results





Cornering stiffness

Tire pressure





Muchas gracias por la atención !!!!



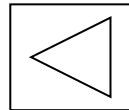
Feel free to drop me an email: giulio.reina@poliba.it

check progress @ www.vagostudio.com/giulio/



$$E = \sqrt{X_e^2 + Y_e^2}$$

$$E[\%] = 100 \frac{E}{D}$$

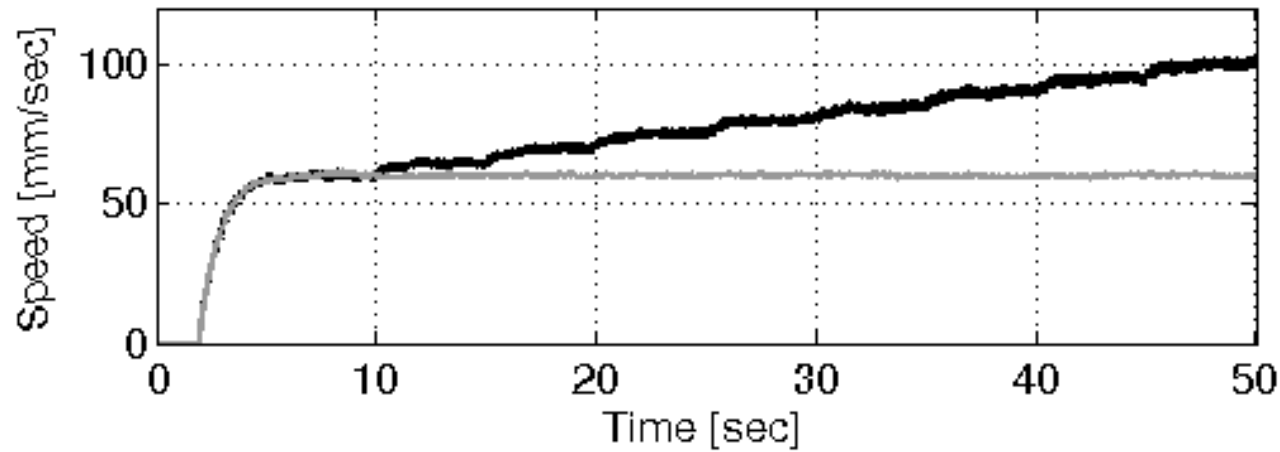




On-line tuning technique



(a)



(b)

